

Rendering

Light Reflection Models

Direct Illumination

Visual Imaging in the Electronic Age

Donald P. Greenberg

October 20 , 2020

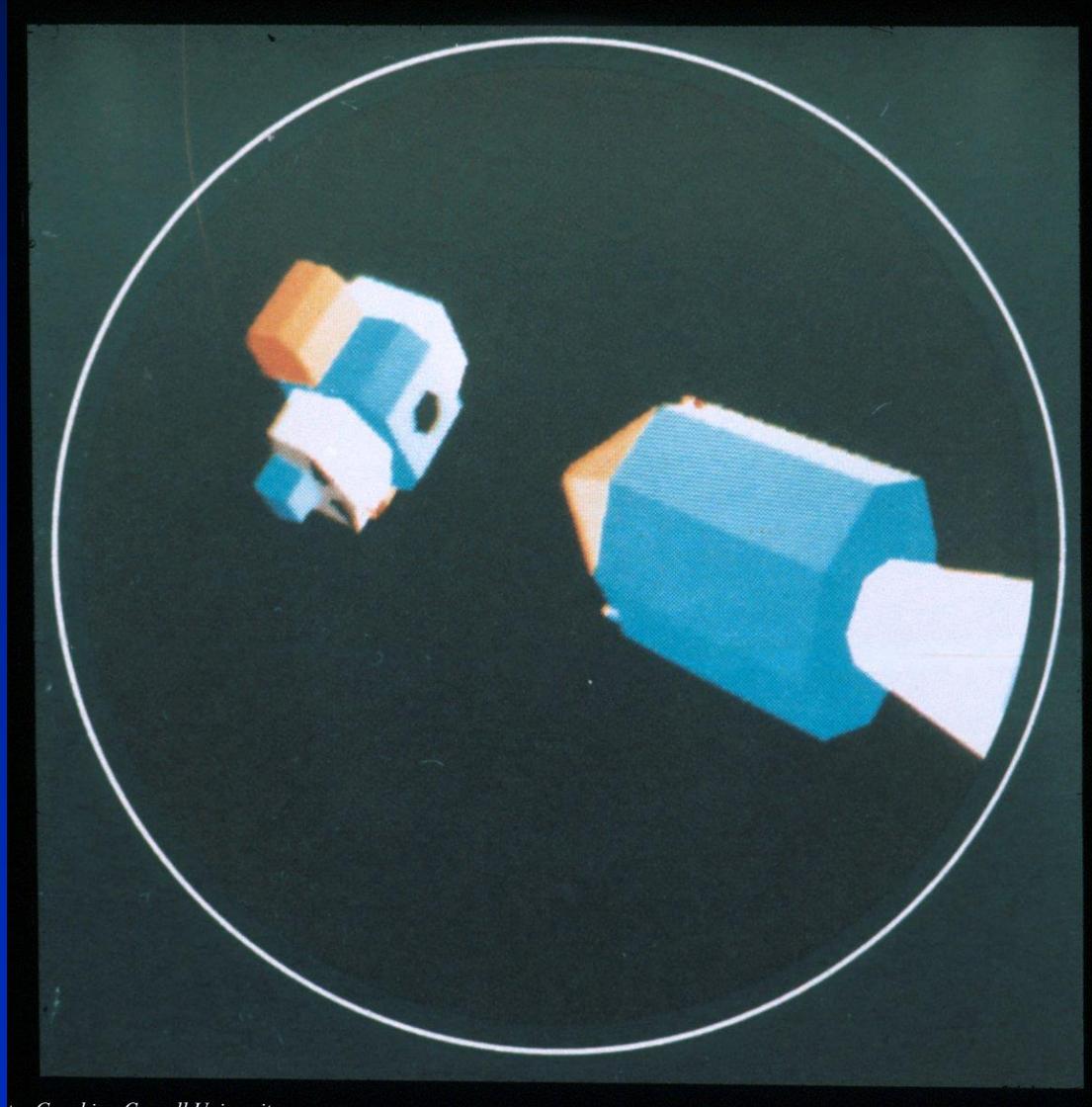
Lecture #14

Ivan Sutherland - 1963



General Electric

1967



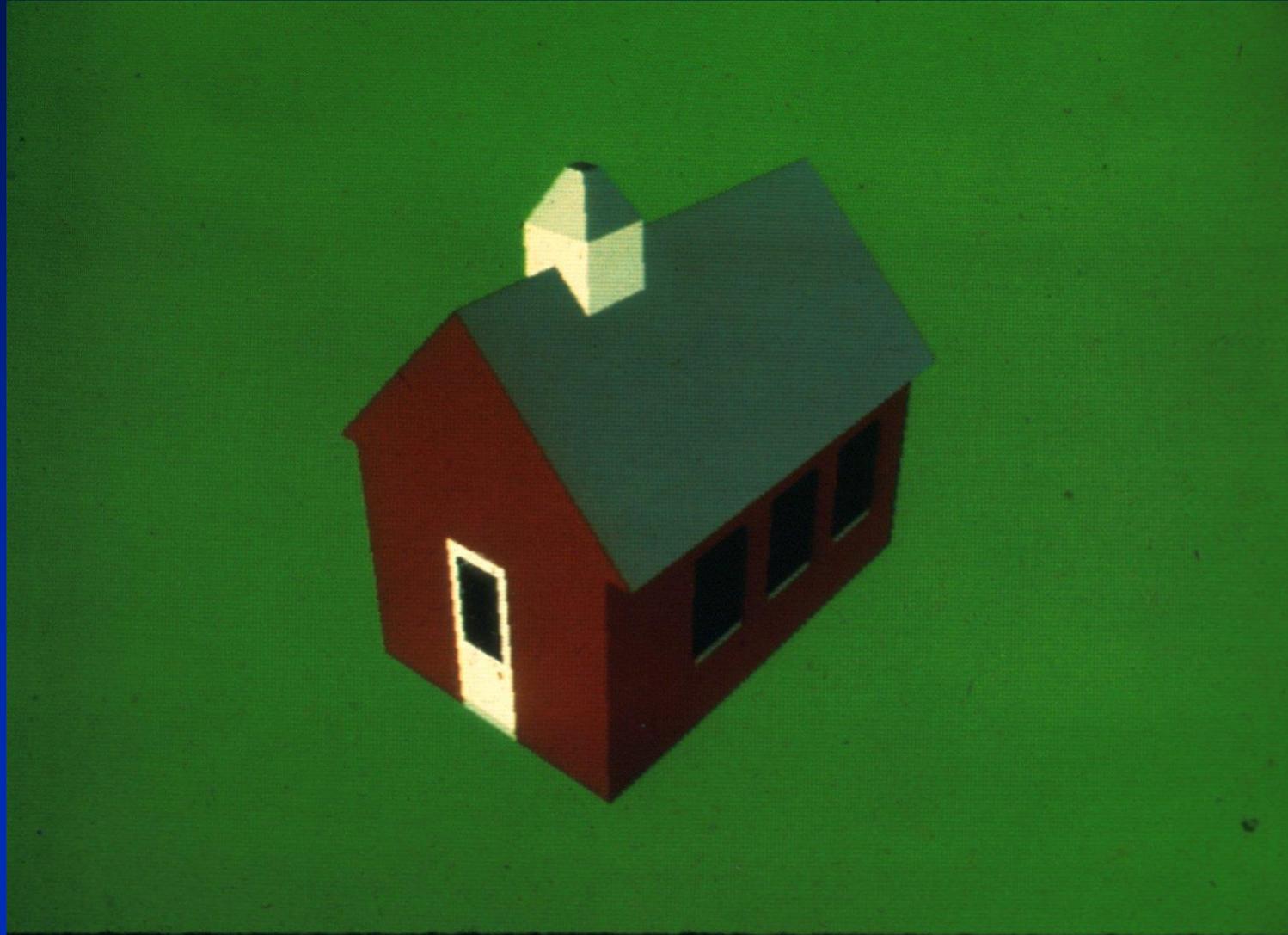
Professors Office

Janitor's Closet 1973



DPG

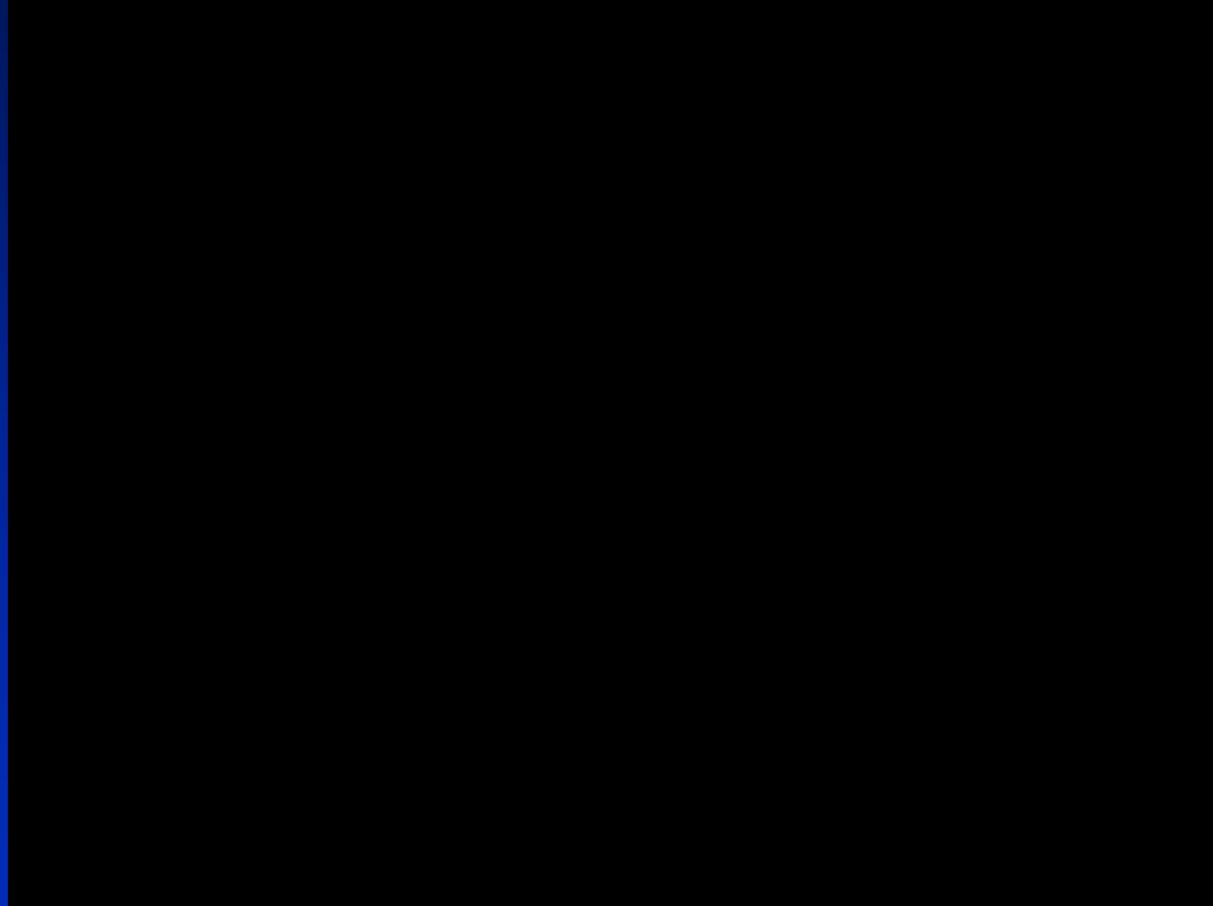
1967



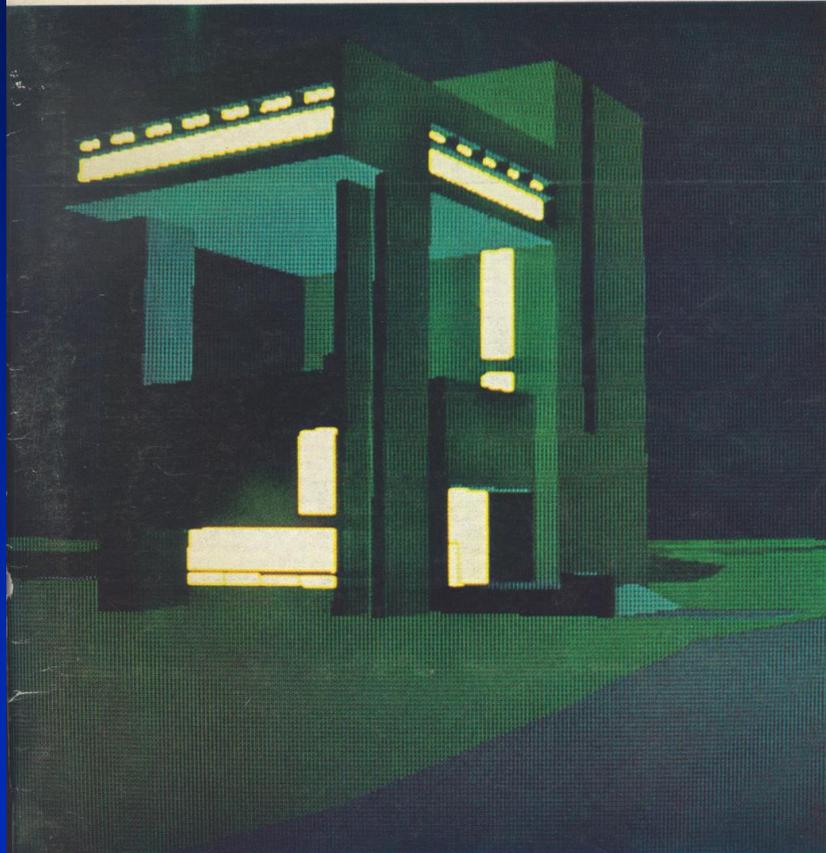
Cornell in Perspective Film



Cornell in Perspective Film



SCIENTIFIC AMERICAN

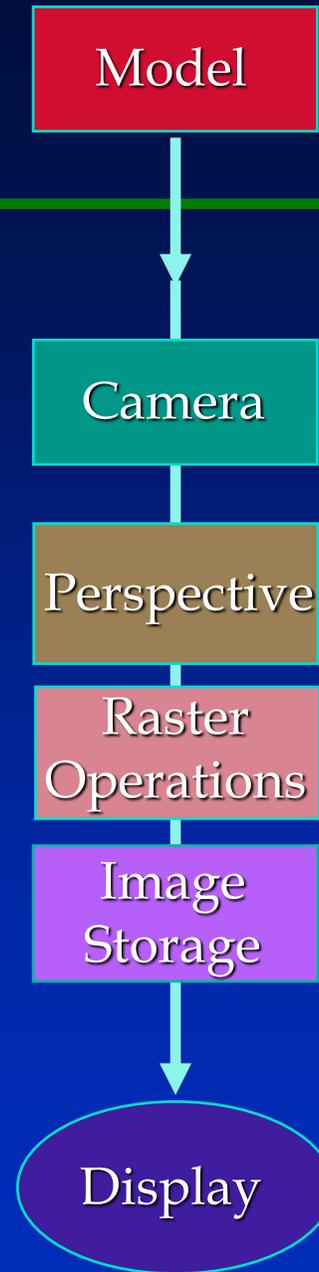


COMPUTER GRAPHICS IN ARCHITECTURE

ONE DOLLAR

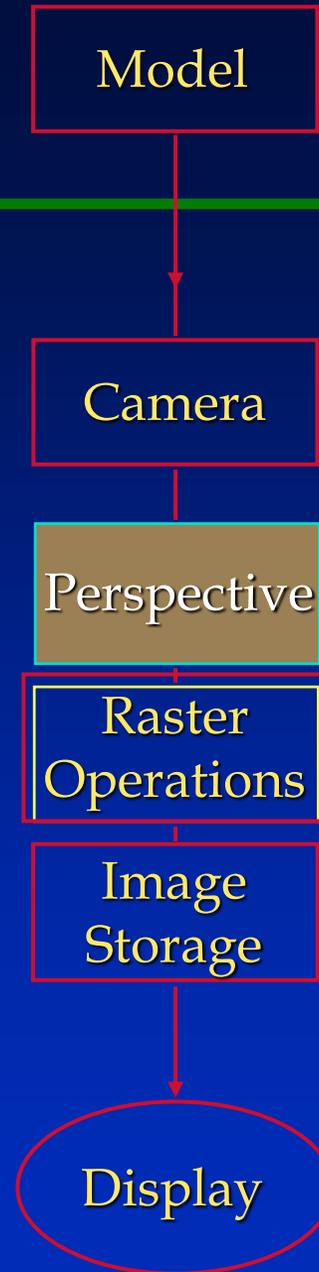
May 1974

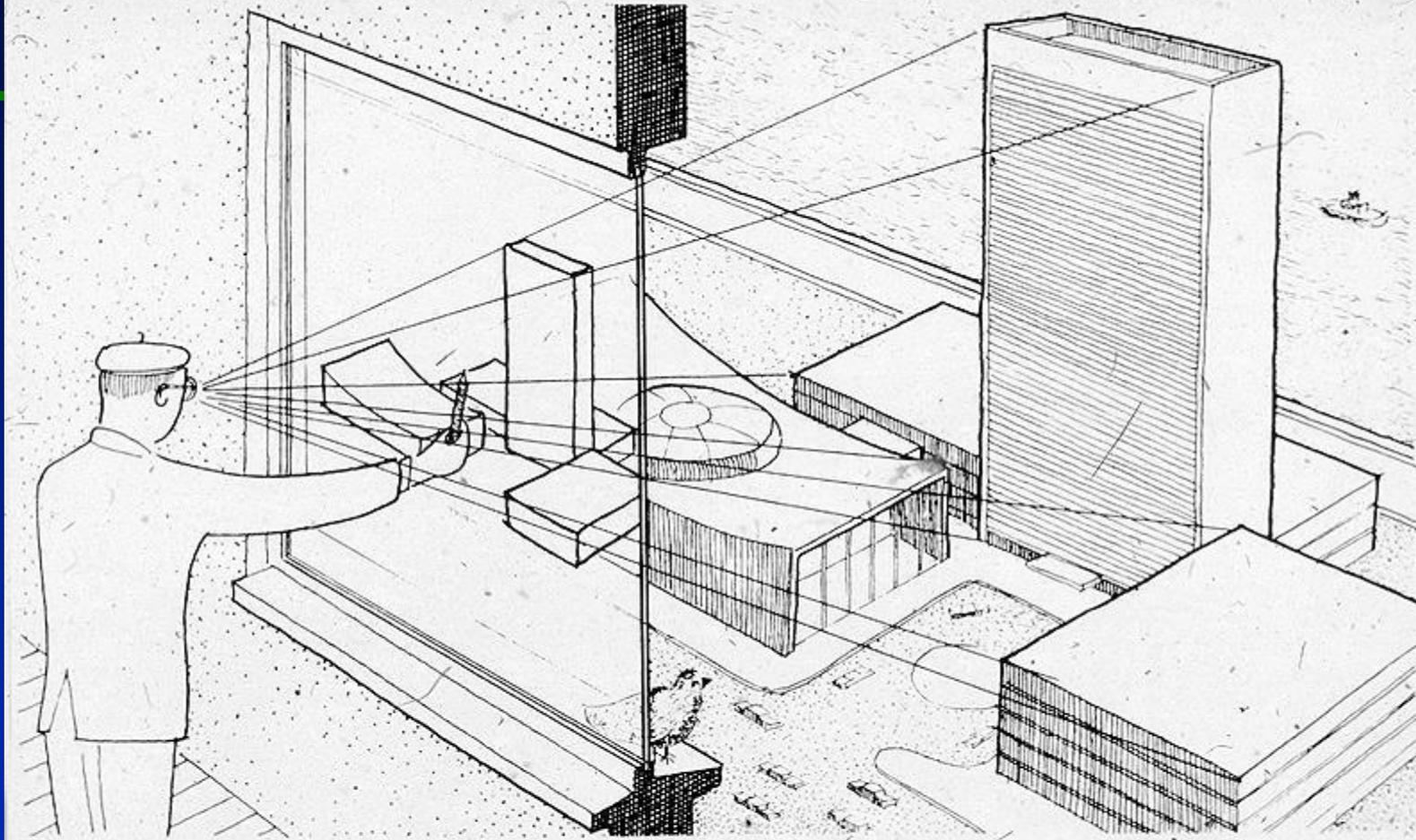
Direct Illumination



Perspective Transformation

- Perspective transformation
Matrix multiplication
- Clipping
- Culling





The concept of the picture plane may be better understood by looking through a window or other transparent plane from a fixed viewpoint. Your lines of sight, the multitude of straight lines leading from your eye to the subject, will all intersect this plane. Therefore, if you were to reach out with a grease pencil and draw the image of the subject on this plane you would be "tracing out" the infinite number of points of intersection of sight rays and plane. The result would be that you would have "transferred" a real three-dimensional object to a two-dimensional plane.

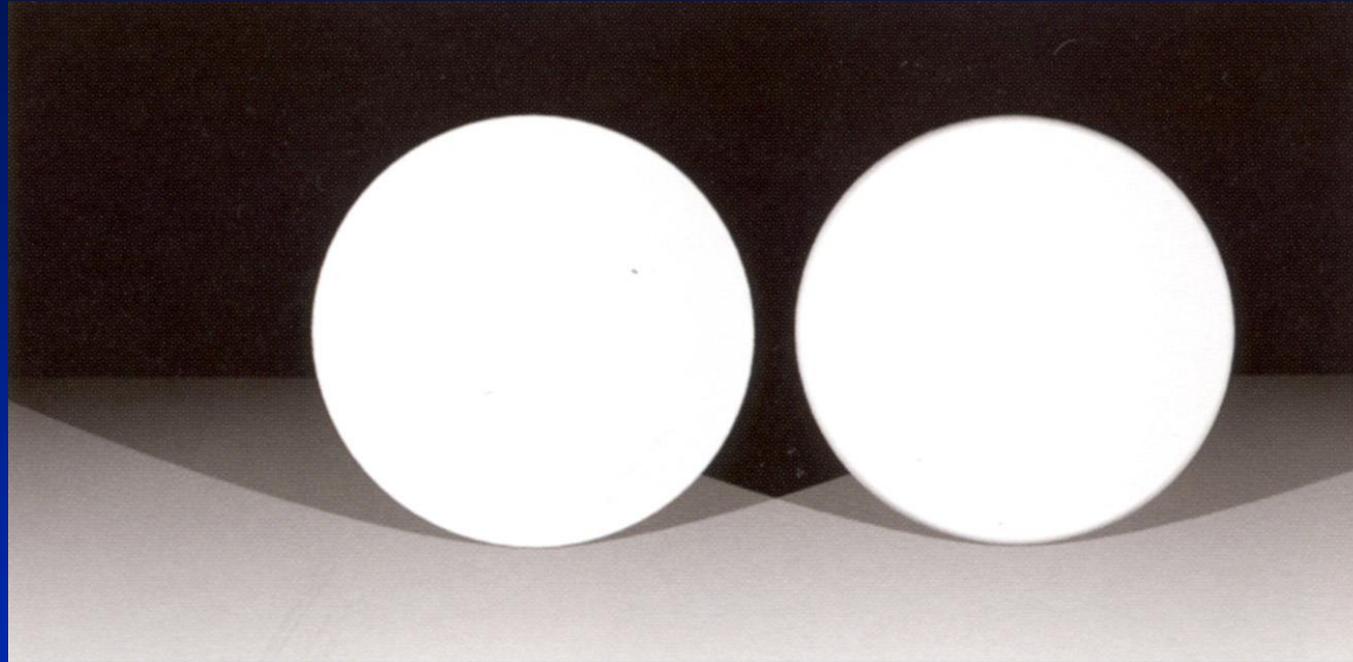
Goal of Realistic Imaging

“The resulting images should be physically accurate and perceptually indistinguishable from real world scenes”

Goal of Realistic Imaging



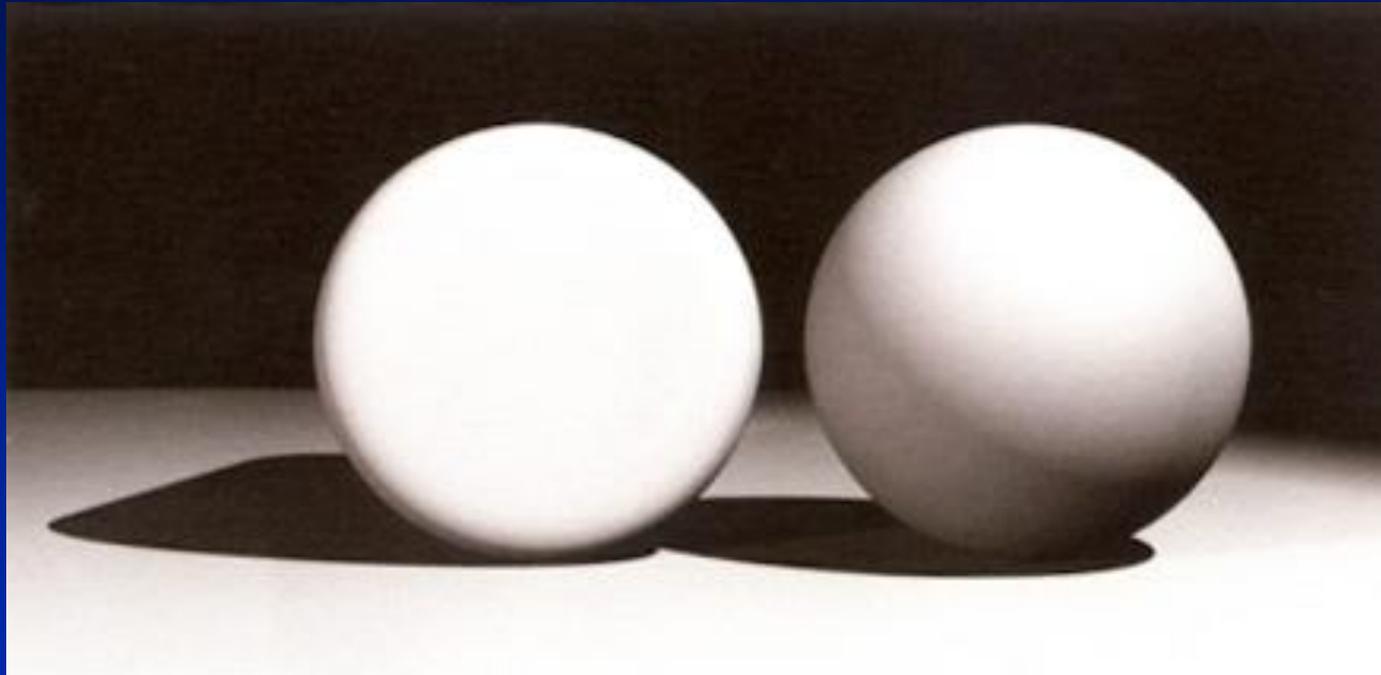
Lighting



Jeremy Birn, "[digital] Lighting & Rendering", 2000 New Riders Publishers

The three dimensional shape is only inferred with this lighting.

Lighting

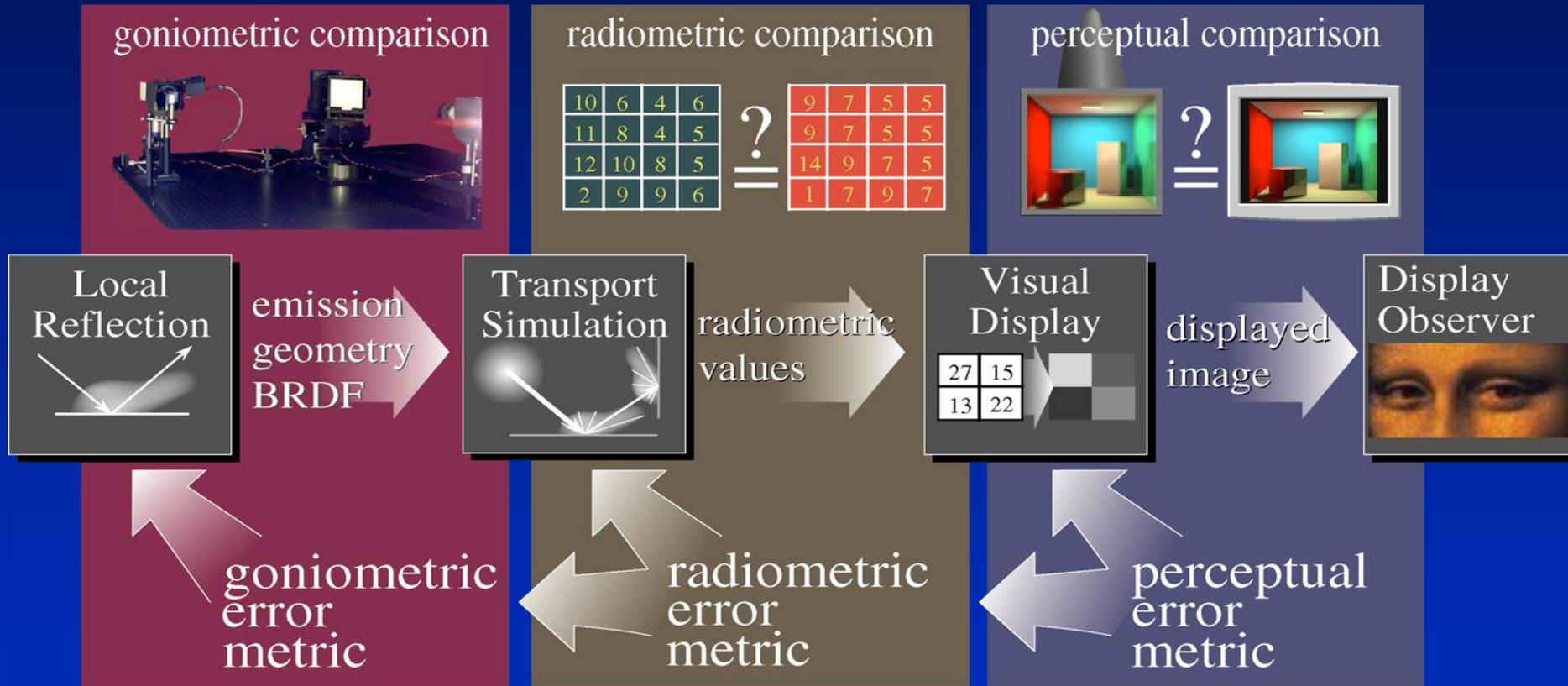


Jeremy Birn, "[digital] Lighting & Rendering", 2000 New Riders Publishers

The geometry is better understood with correct lighting and shading.

Rendering Framework

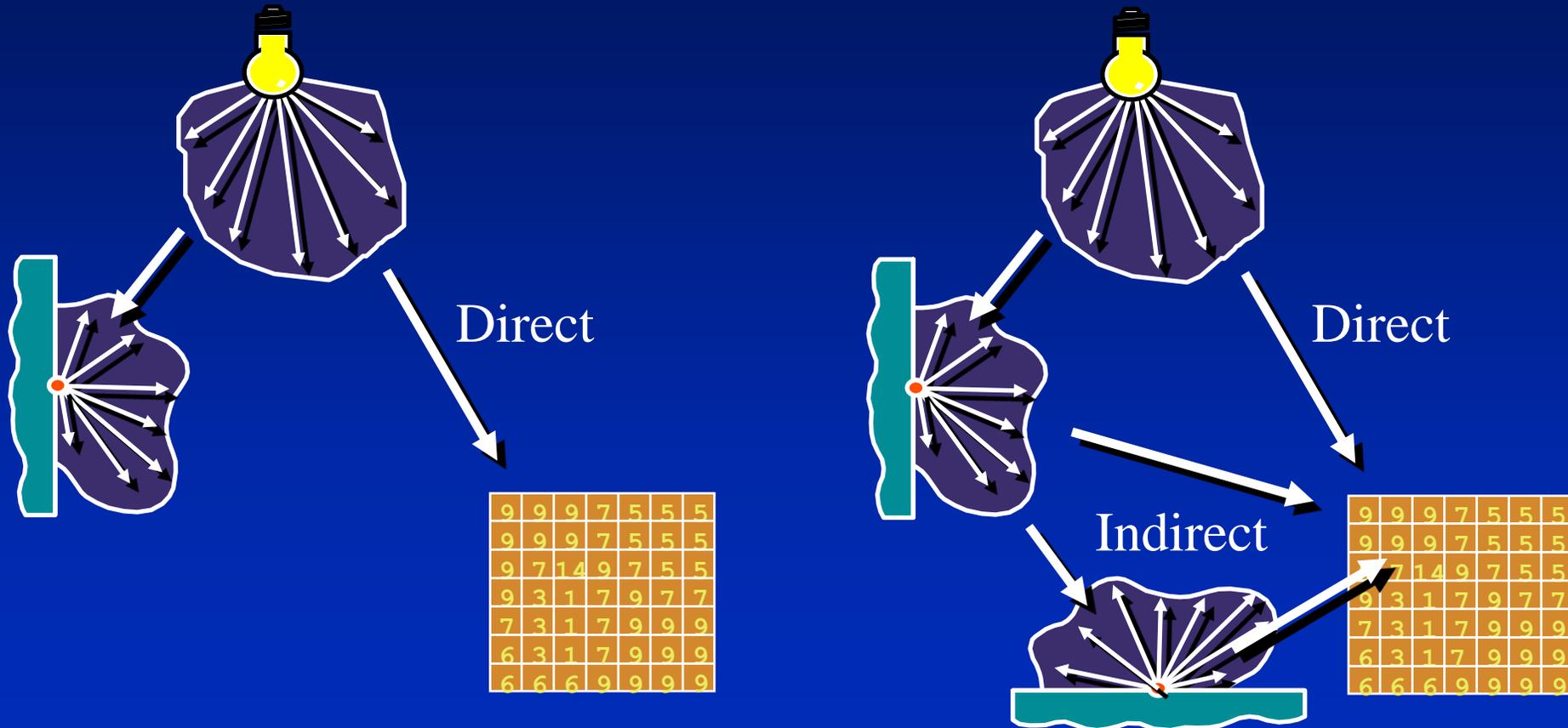
1997



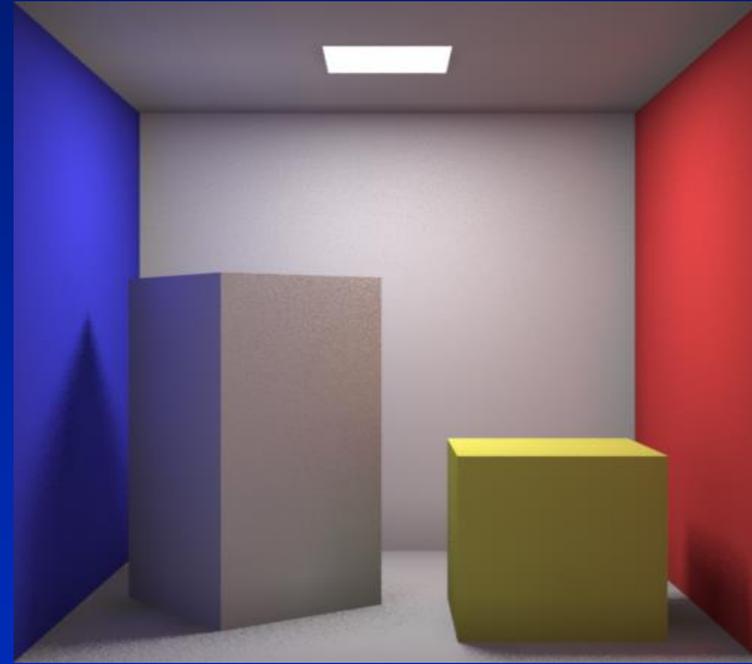
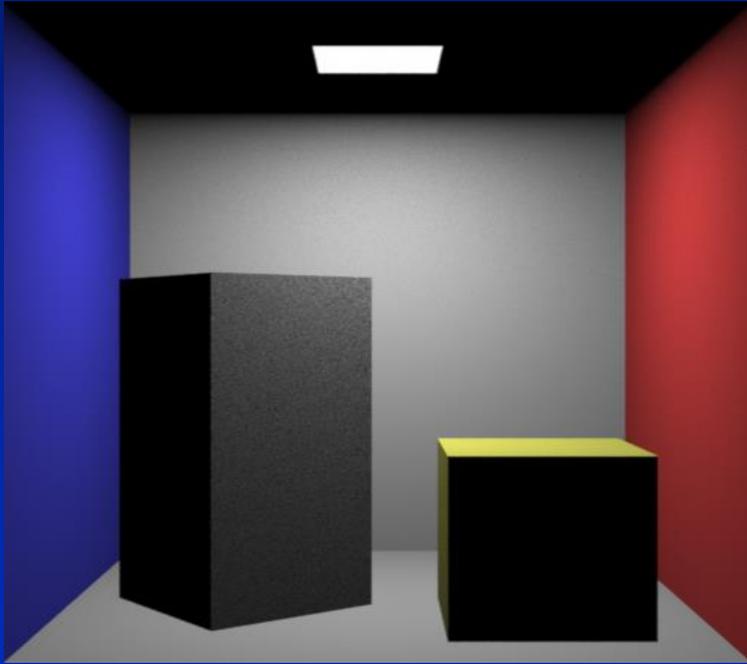
Cornell Box with Cameras



Direct Lighting and Indirect Lighting



Direct Lighting and Indirect Lighting



Assumptions In Direct Lighting

Light travels directly from light source to all object surfaces (no occlusion)

∴ no shadows

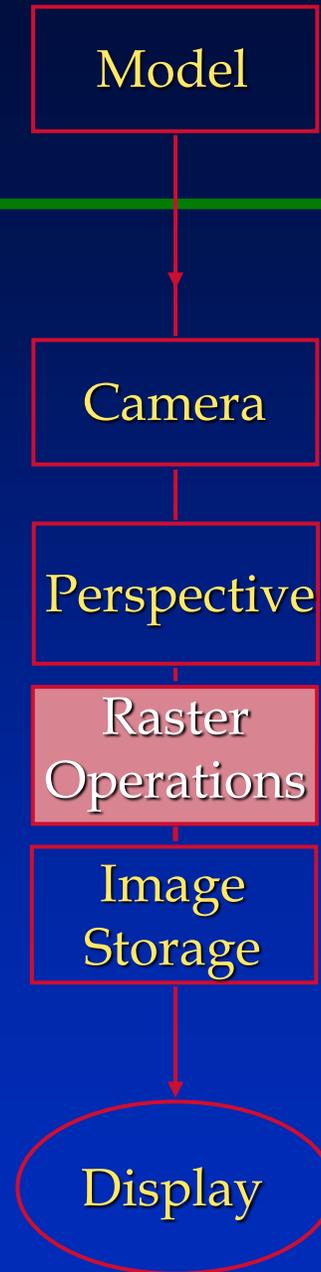
All light sources are point light sources (no geometric area)

No interreflections from any surfaces

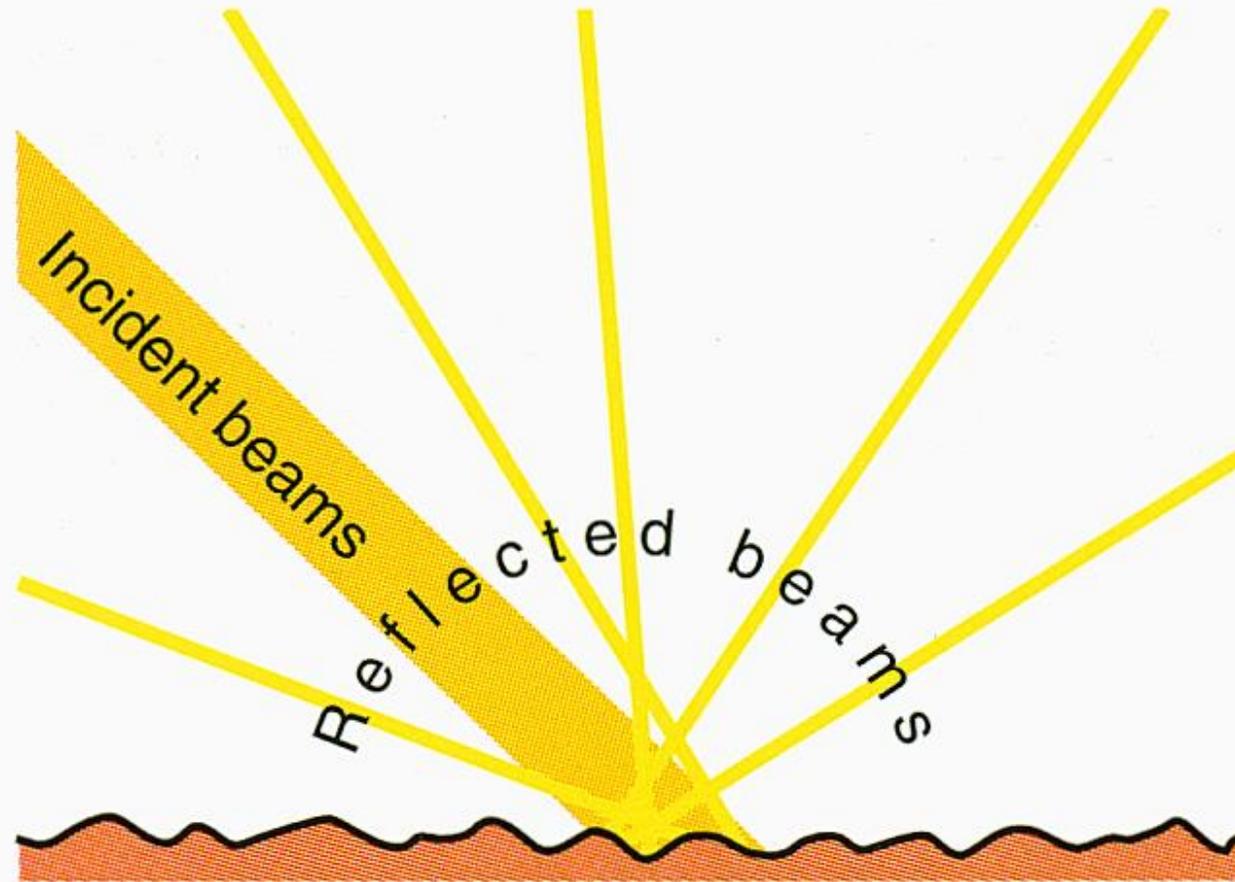
Lights maybe “directional”, “spot” or “omni lights”

Raster Operations

- Conversion from polygons to pixels
- Hidden surface removal (z-buffer)
- Incremental shading



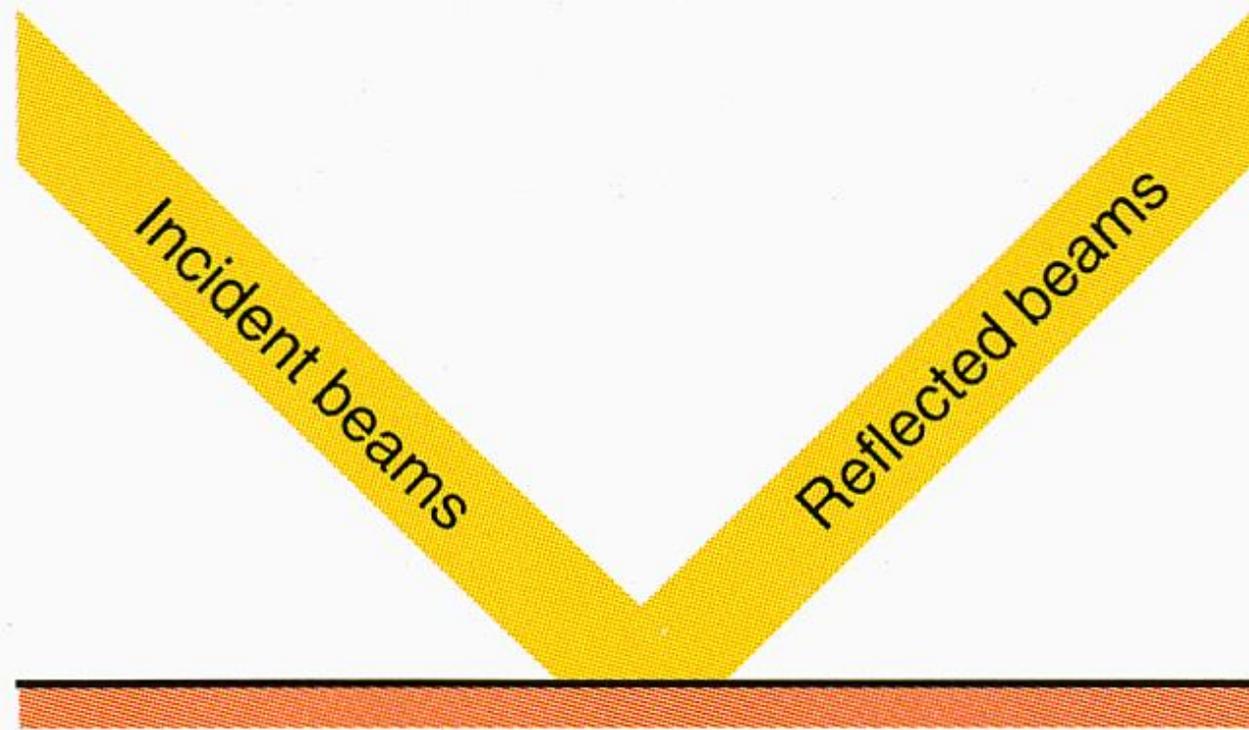
Diffuse Reflections



Rough surface

Diffuse reflection of light from a rough surface.

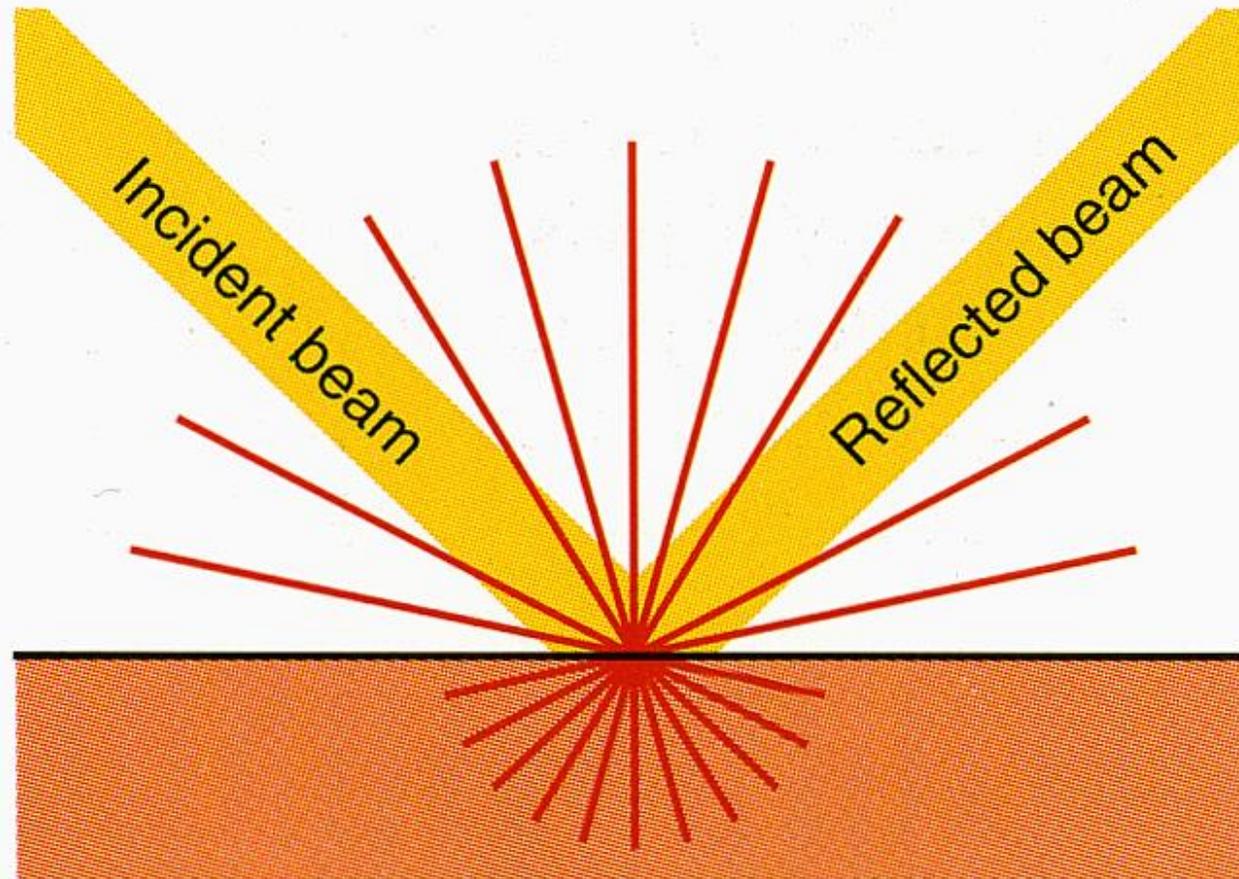
Specular Reflections



Smooth surface

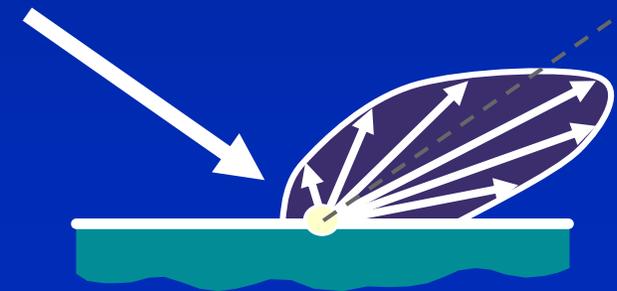
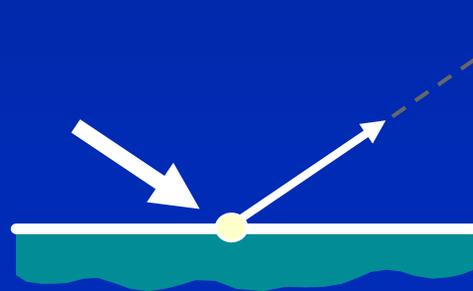
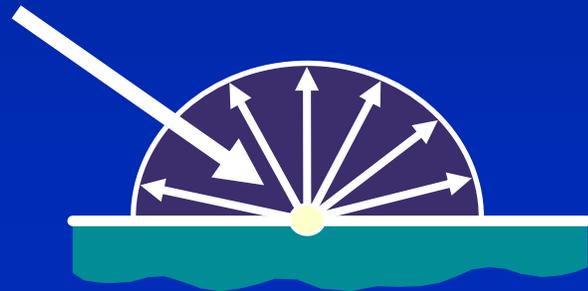
Specular reflection of light from a mirrorlike surface.

Glossy Reflections

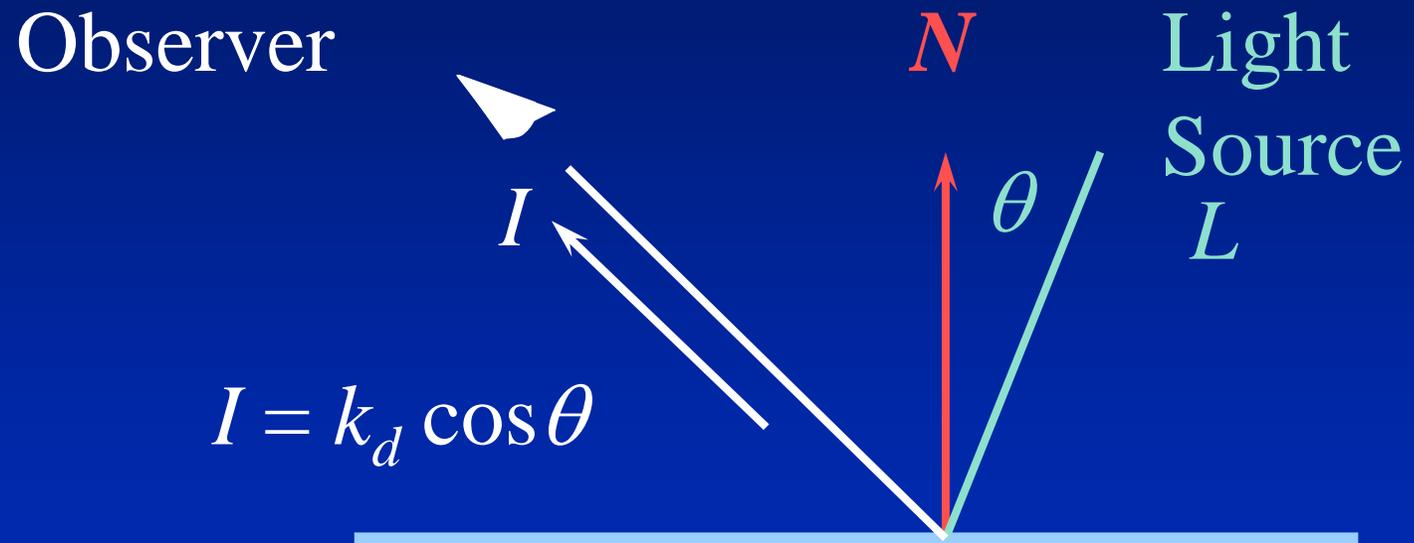


Combination of diffuse and specular reflection due to scattering from beneath, plus reflection from, a smooth surface.

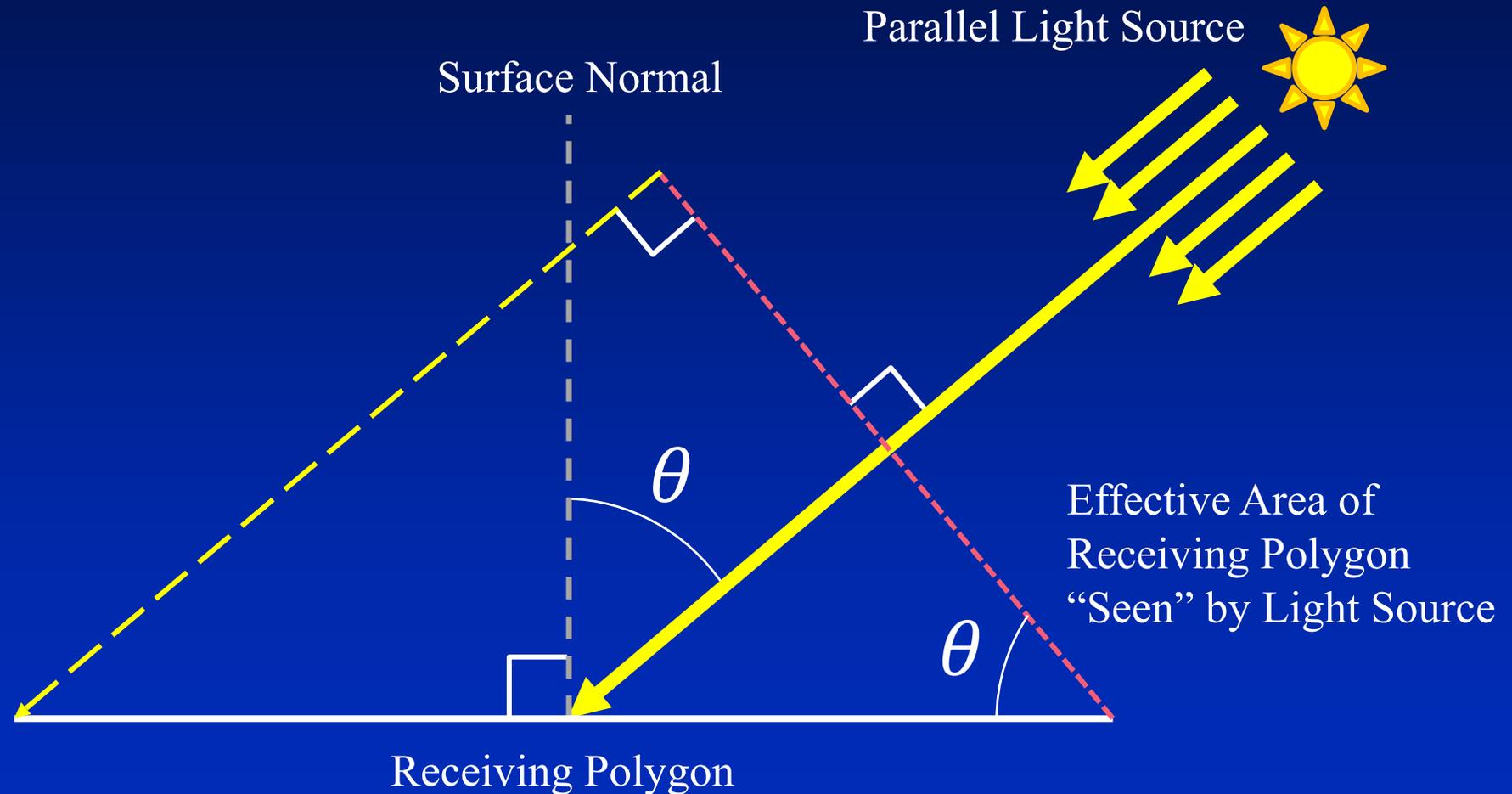
Reflectance - Three Forms



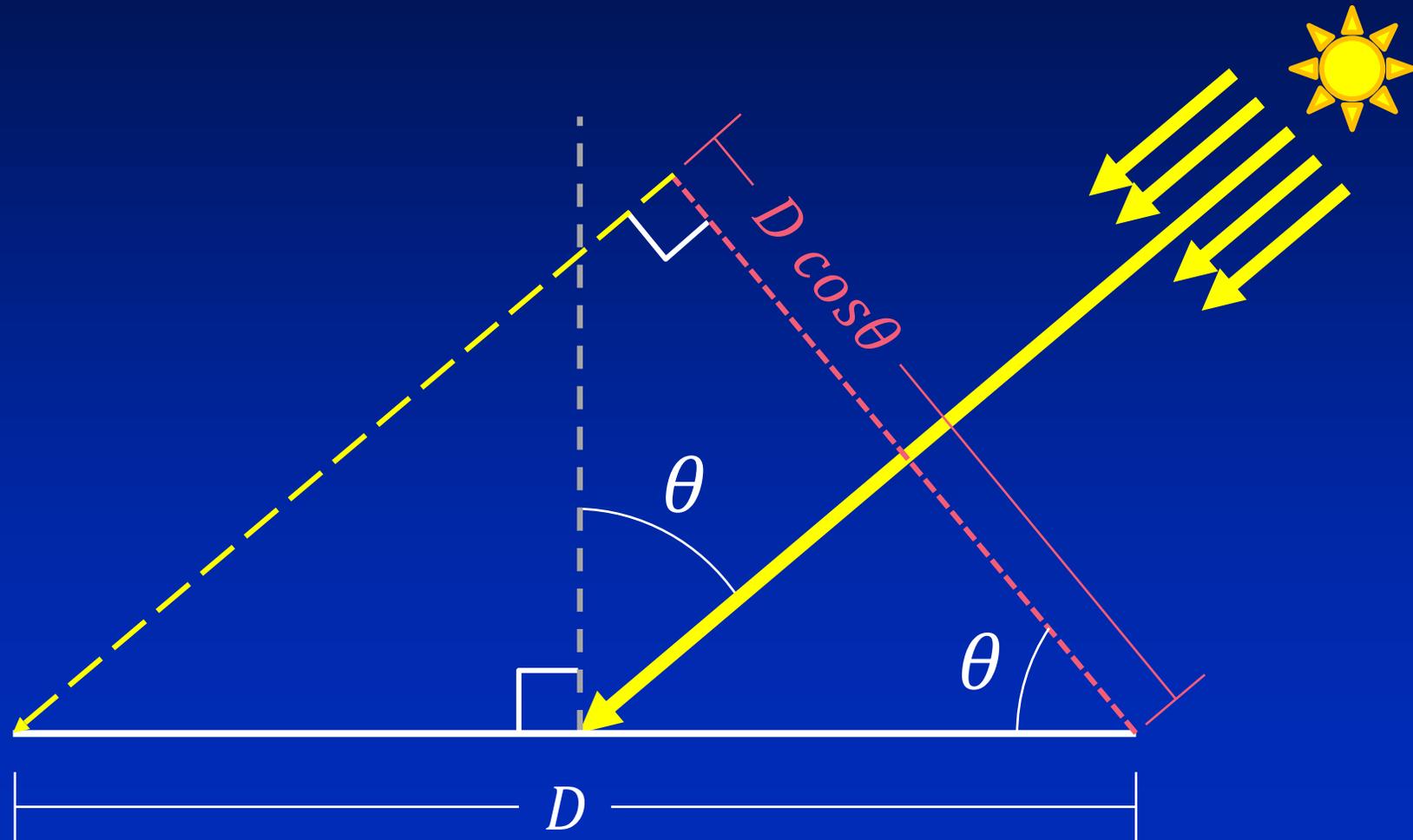
Diffuse Reflections



Diffuse Reflections



Diffuse Reflections



How do you find the angle θ ?

- If you know the surface definition (it's planar equation), you can find it's normal direction \vec{N} . A unit normal in this direction is $\vec{N}/|\vec{N}|$
- If you know the location of the light source L , you can find the illumination direction \vec{L} . A unit normal in this direction is $\vec{L}/|\vec{L}|$

Cosine Calculations

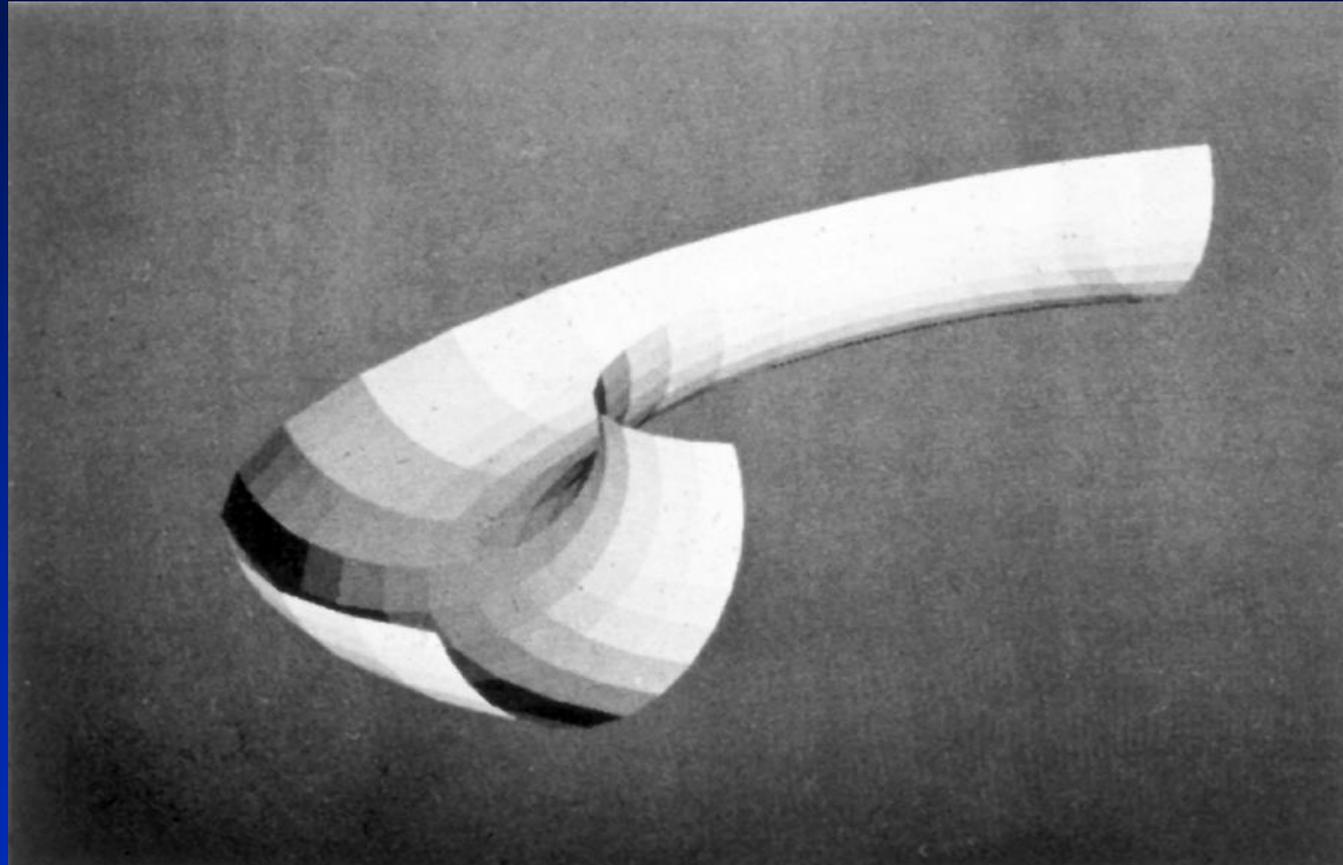
Dot Product Definition

$$\overline{N} \cdot \overline{L} = |\overline{N}| |\overline{L}| \cos \theta$$

$$\cos \theta = \frac{\overline{N} \cdot \overline{L}}{|\overline{N}| |\overline{L}|} = \frac{\overline{N}}{|\overline{N}|} \cdot \frac{\overline{L}}{|\overline{L}|}$$

Usually, the normal and light source vector directions are given as unit normals.

Gouraud Flat Polygon Shading

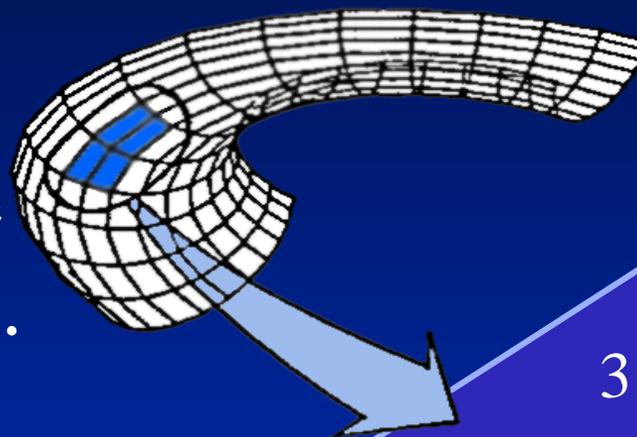


Each polygon is shaded based on a single normal.

Gouraud Thesis

Gouraud Smooth Shading

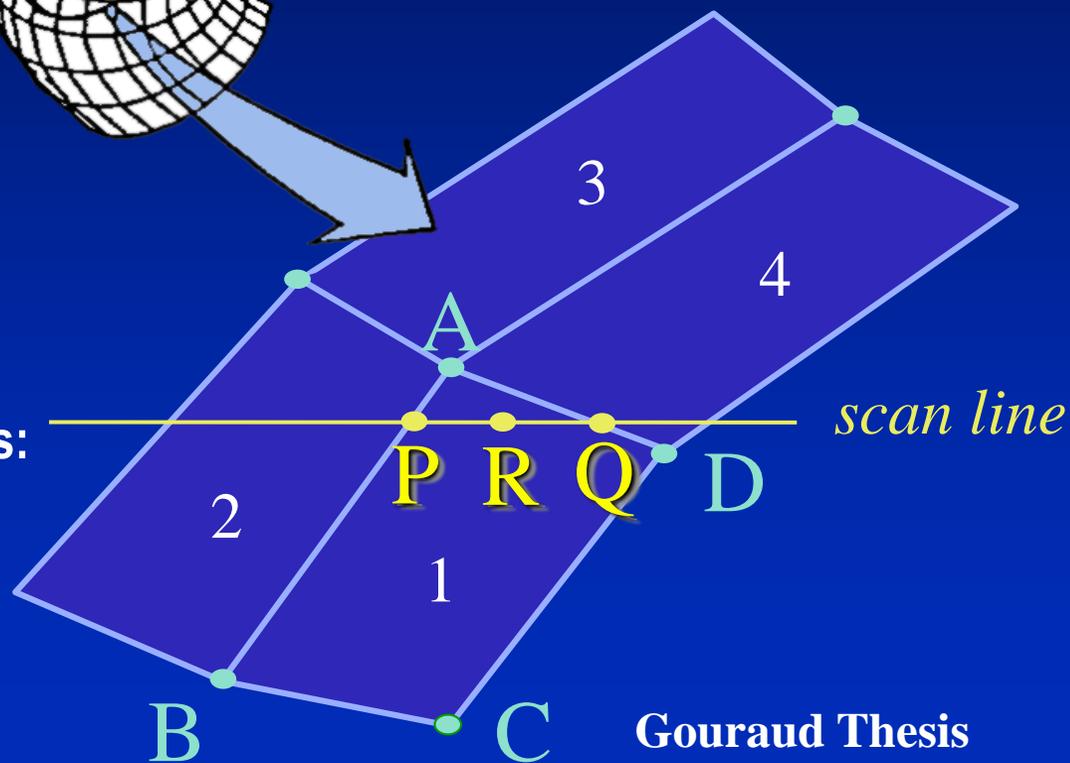
Four polygons approximating a surface in the vicinity of point A.



The shading at point R is computed as two types of successive linear interpolations:

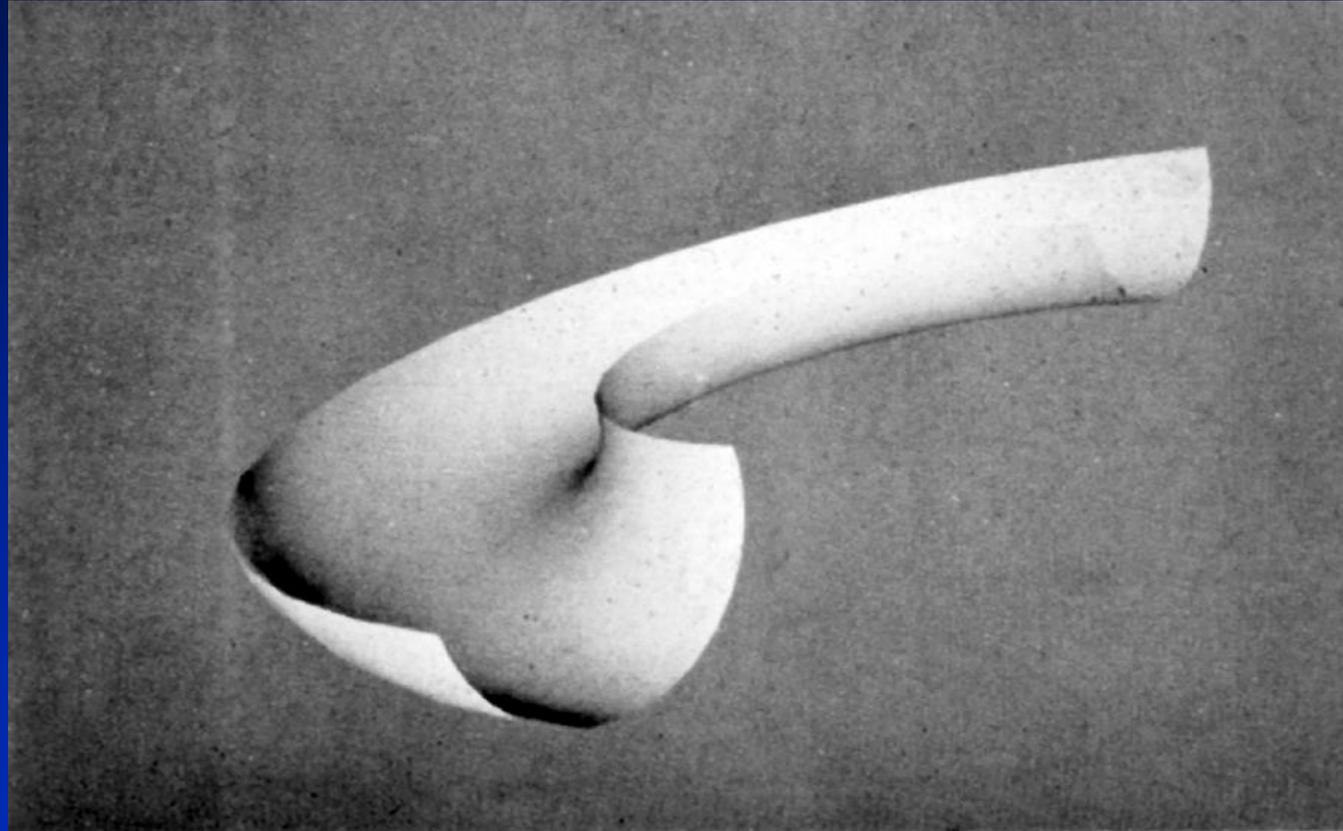
across polygon edges: P between A and B,
Q between A and D;

across the scan line: R between P and Q.



Gouraud Thesis

Gouraud Smooth Shading



Each pixel is shaded by interpolating intensities computed at each of the polygon's vertices.

Steps in Gouraud Shading

- For each polygon
 - Compute vertex intensities (using any illumination model)
 - Compute slopes (linear interpolation) in spatial (image) domain (picture plane) and intensity domain (real environment)
 - Increment by scan line
- For each scan line
 - Compute slope in intensity domain (real environment)
 - Render each pixel

Note the intensity computations are based on object space data, but all interpolation is done in image space.

Diffuse Shading



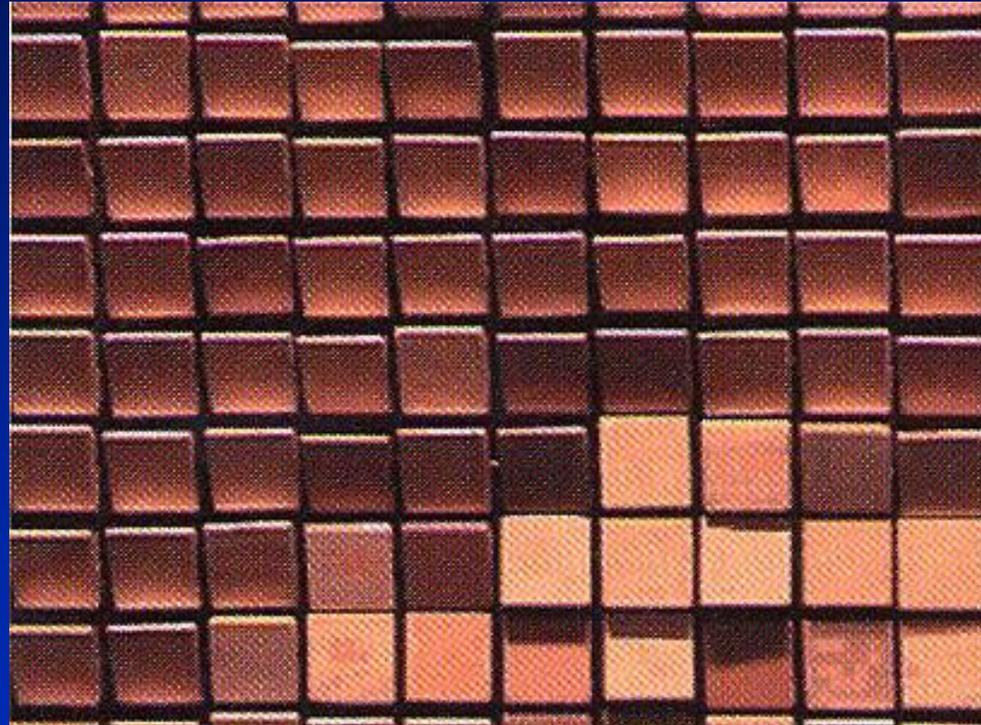
Jeremy Birn. Digital Lighting & Rendering , p. 74.

Between Analogue and Digital



Daniel Rozin, "Wooden Mirror"

Daniel Rozin, “Wooden Mirror” close-up



Specular Shading

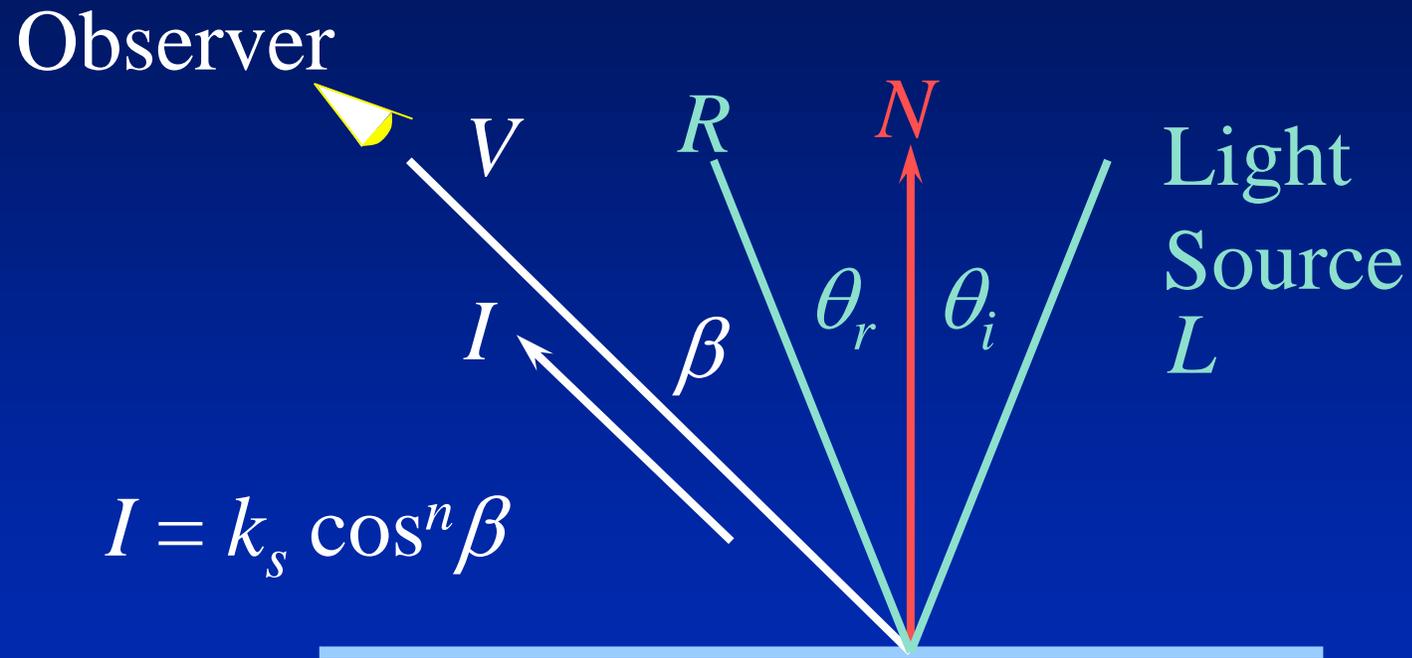


Viennese Silver, Modern Design 1780-1918) Teapot, Jakob Krautauer, Vienna 1802 – Silver, fruitwood, H 14.8 cm/5.9 in.

Phong Model Assumptions

- The reflection function can be represented by three components: a constant ambient term, and diffuse and specular components
- Isotropic (rotationally symmetric)
- Point or parallel light source (one vector direction)
- Computationally simple

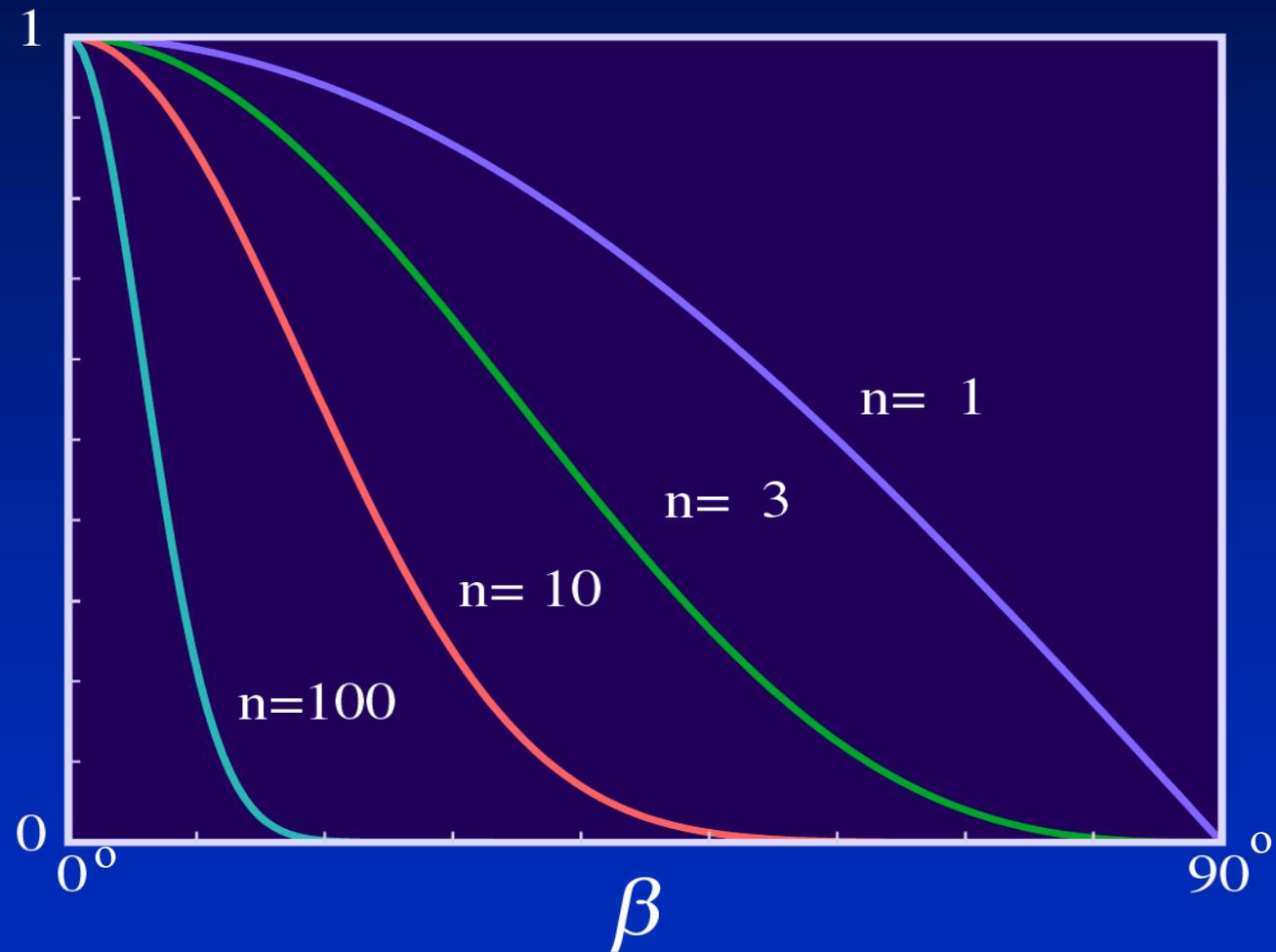
Phong Model Specular Reflection



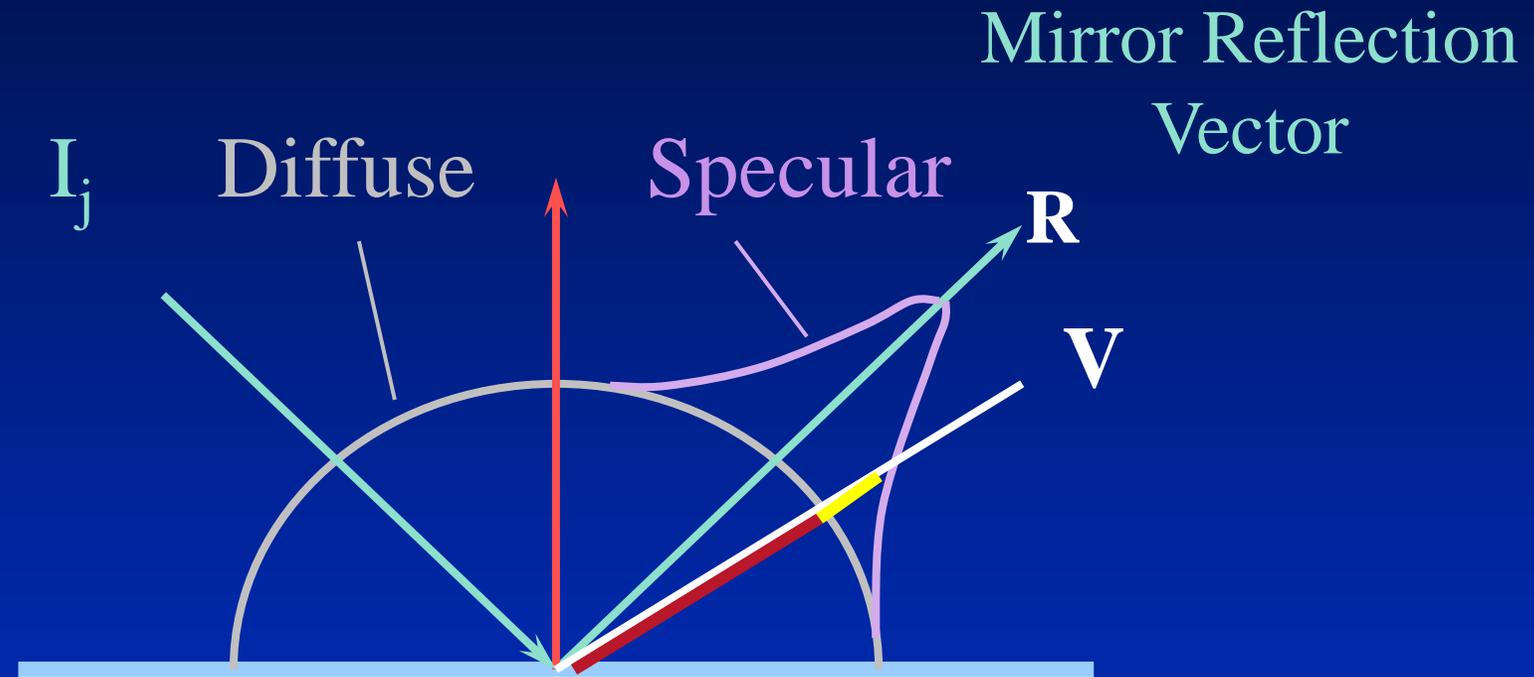
How do you find the angle β ?

- If you know the illumination direction \vec{L} , you can find the reflection direction \vec{R} (angle of reflection = angle of incidence)
- If you know the location of the observer, you can find the view direction \vec{V}
- The specular reflection component is a function of the angle β , the angle between the view direction and the reflection vector

Variation of $\cos^n \beta$



Phong Reflection Model



$$\text{Diffuse} = k_d (\bar{\mathbf{N}} \cdot \bar{\mathbf{L}})$$
$$\text{Specular} = k_s (\bar{\mathbf{R}} \cdot \bar{\mathbf{V}})^n$$

Phong Goblet

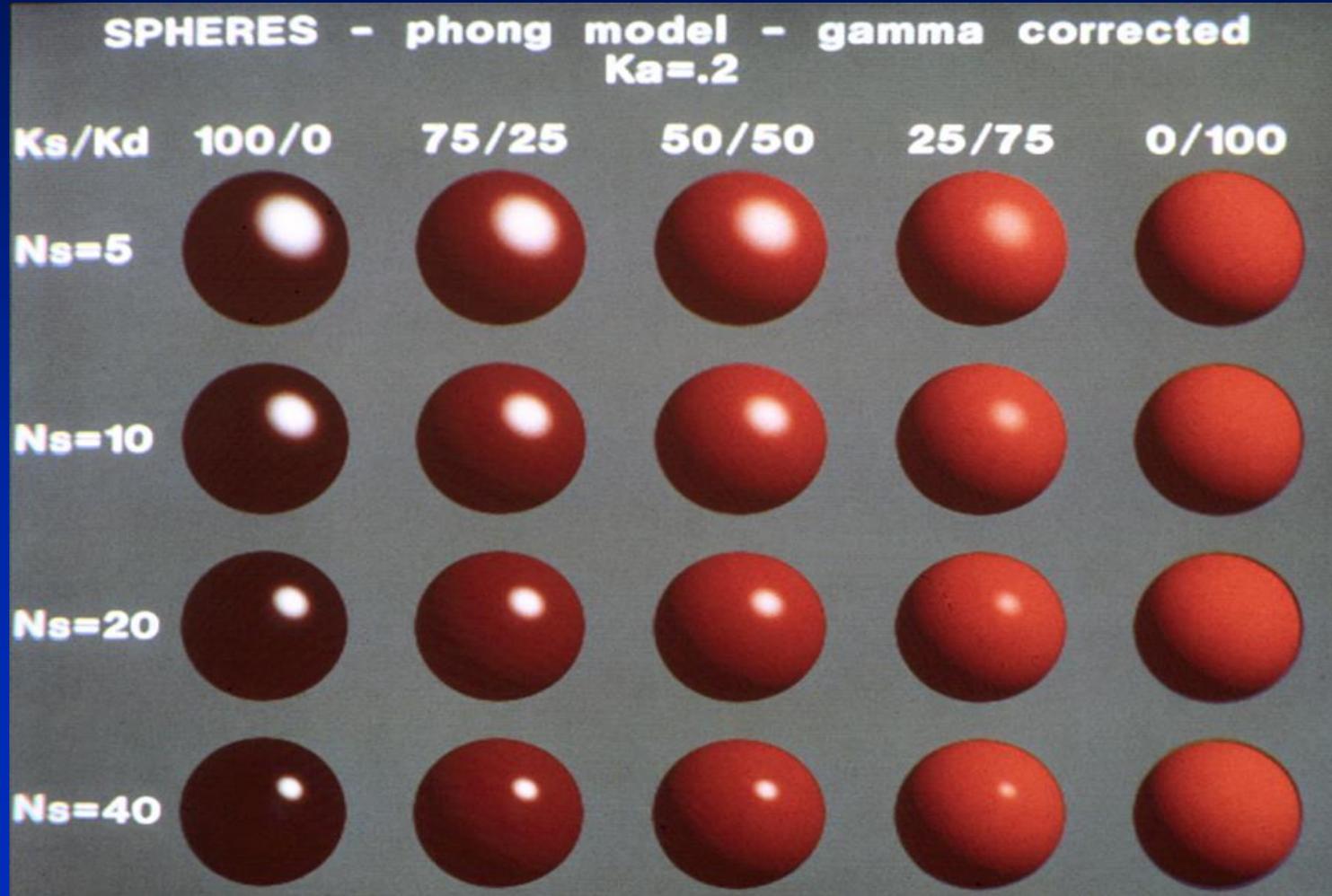


Phong Equation

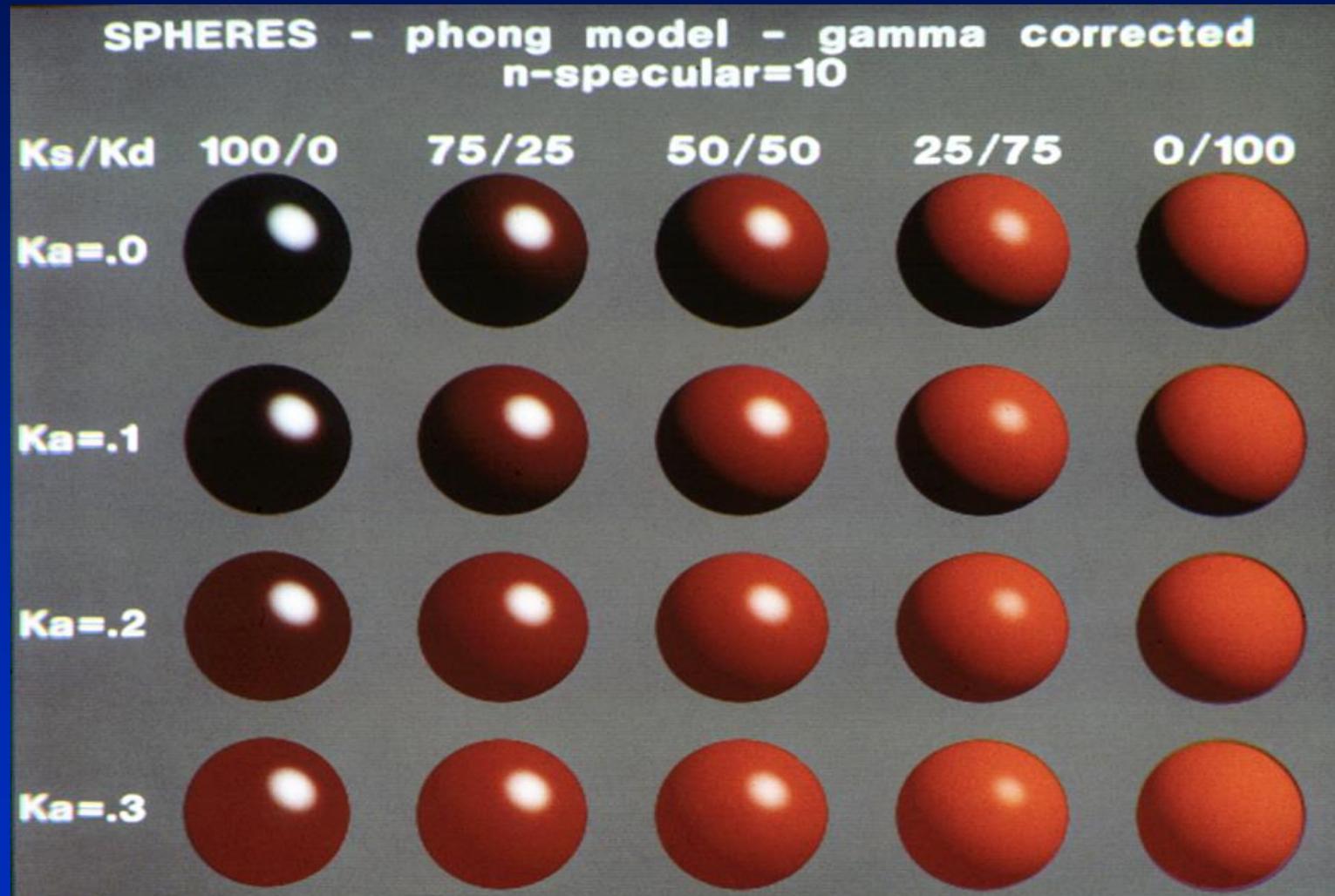
$$\begin{aligned} I &= I_a + I_d + I_s \\ &= [k_a + k_d(\vec{N} \cdot \vec{L})](\text{object color}) + k_s(\vec{R} \cdot \vec{V})^n(\text{light color}) \end{aligned}$$

Where k_a = constant ambient term and $k_a + k_d + k_s = 1$

Phong Model with Constant Ambient Term and Variations of Specular Exponent

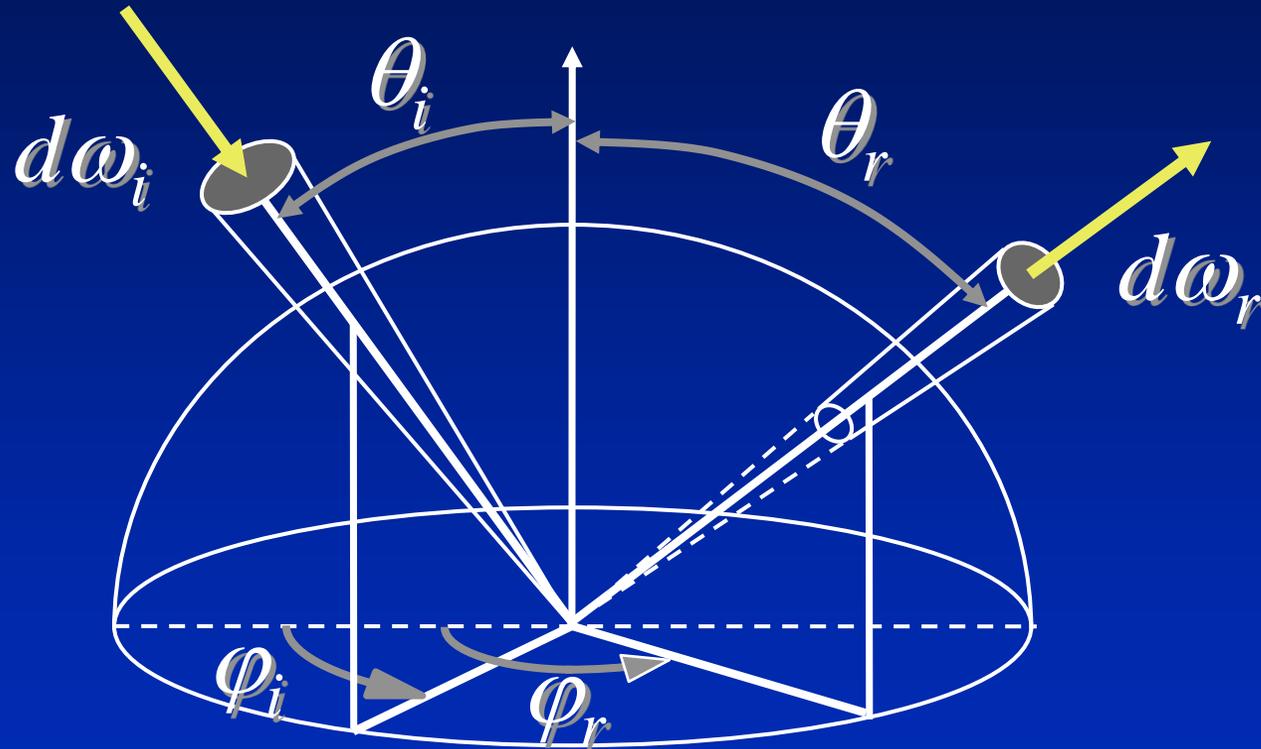


Phong Model with Constant Specular Exponent and Variation of Ambient Term



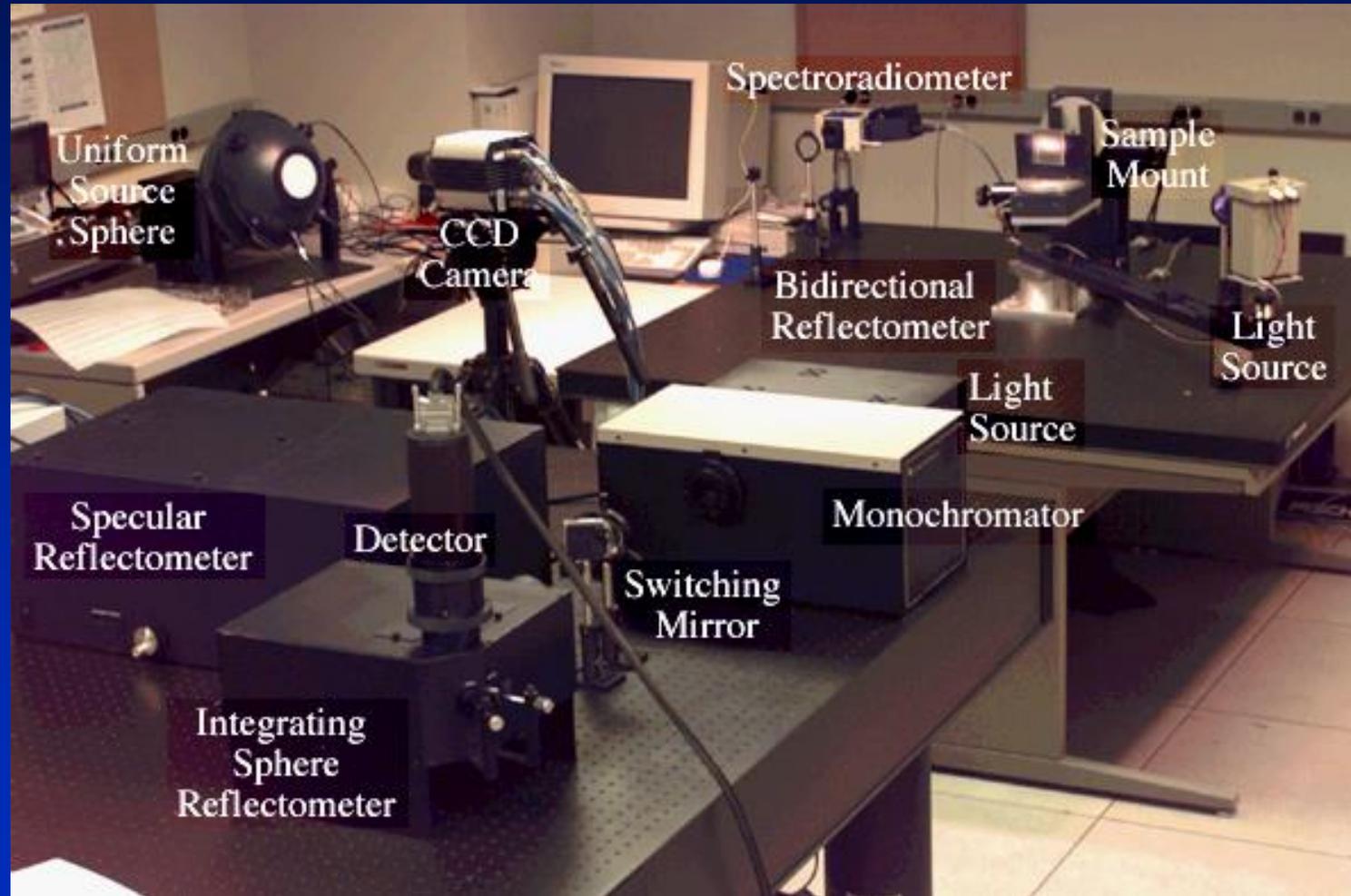
Bidirectional Reflection Distribution Function (BRDF)

Reflection Geometry (BRDF)



Bidirectional Reflection Distribution Function

Light Measurement Laboratory

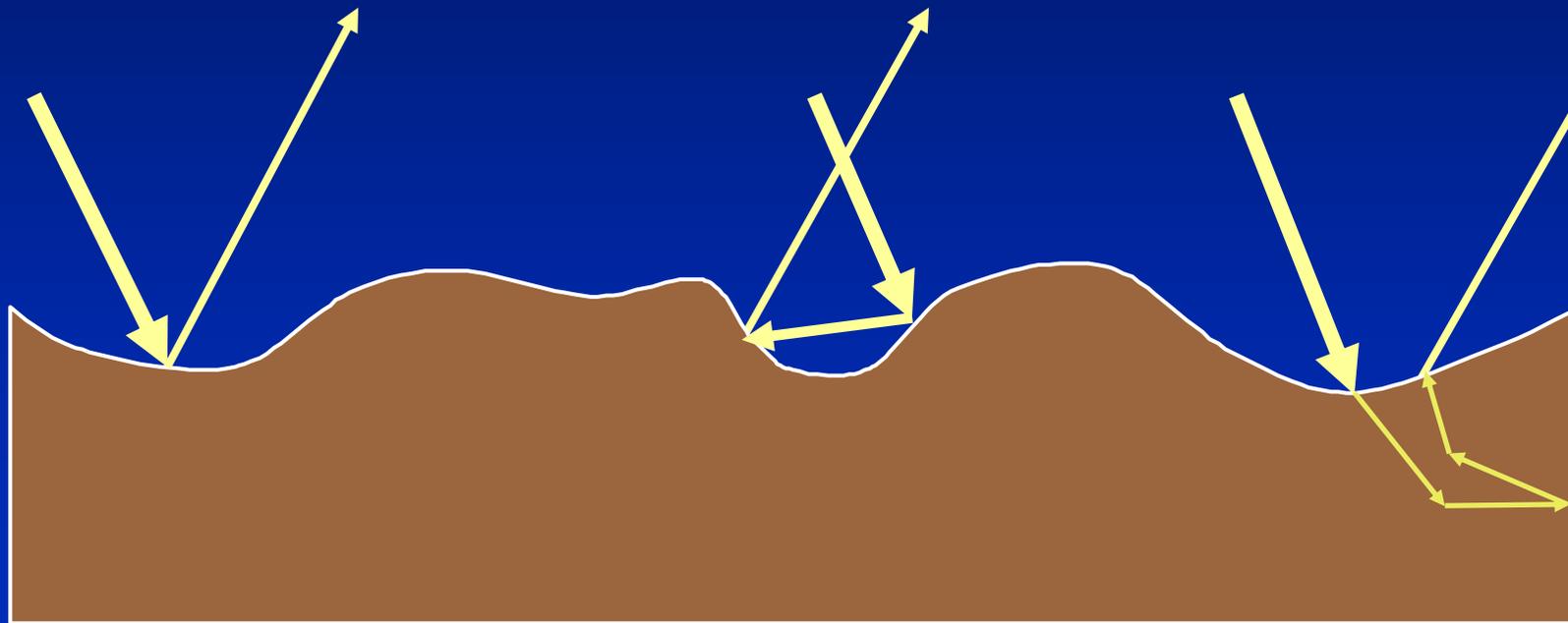


Reflection Processes

First surface reflections

Multiple surface reflections

Subsurface reflections

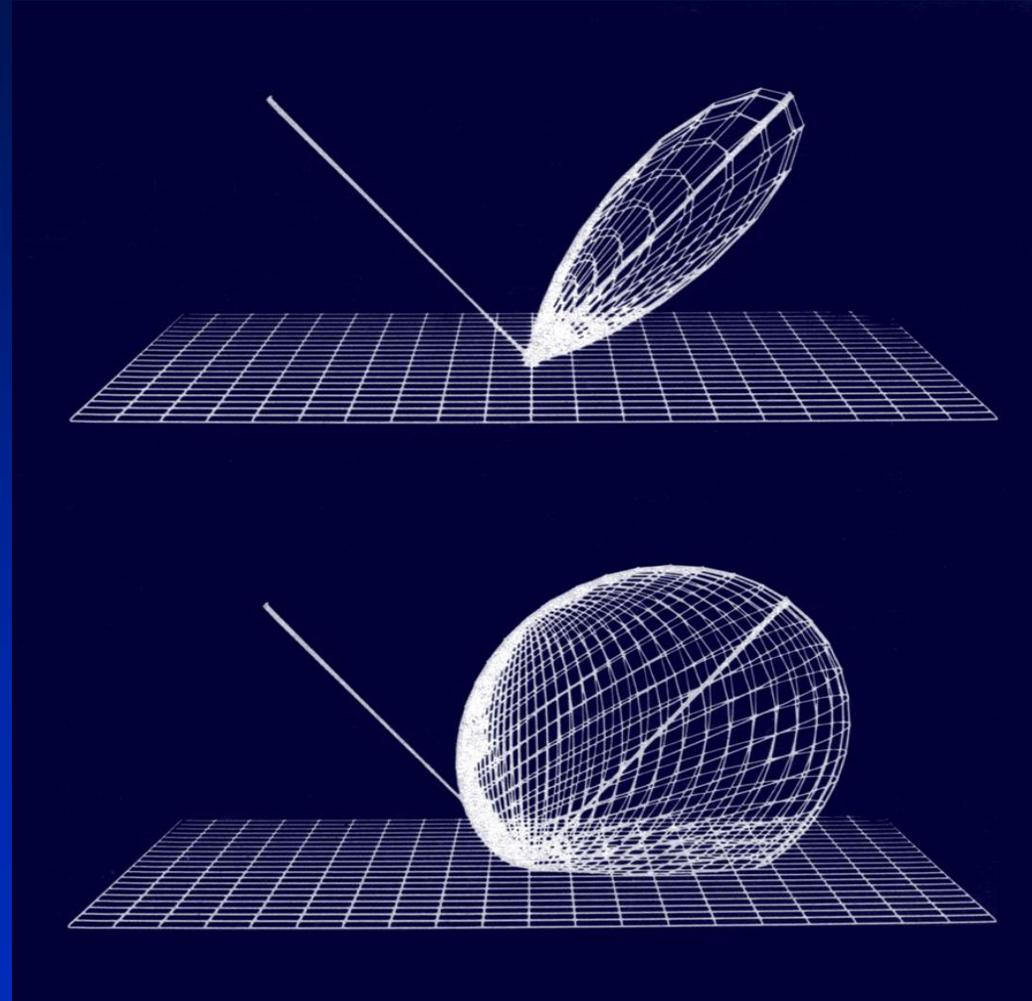


Gaussian Distribution

$$m = 0.2$$



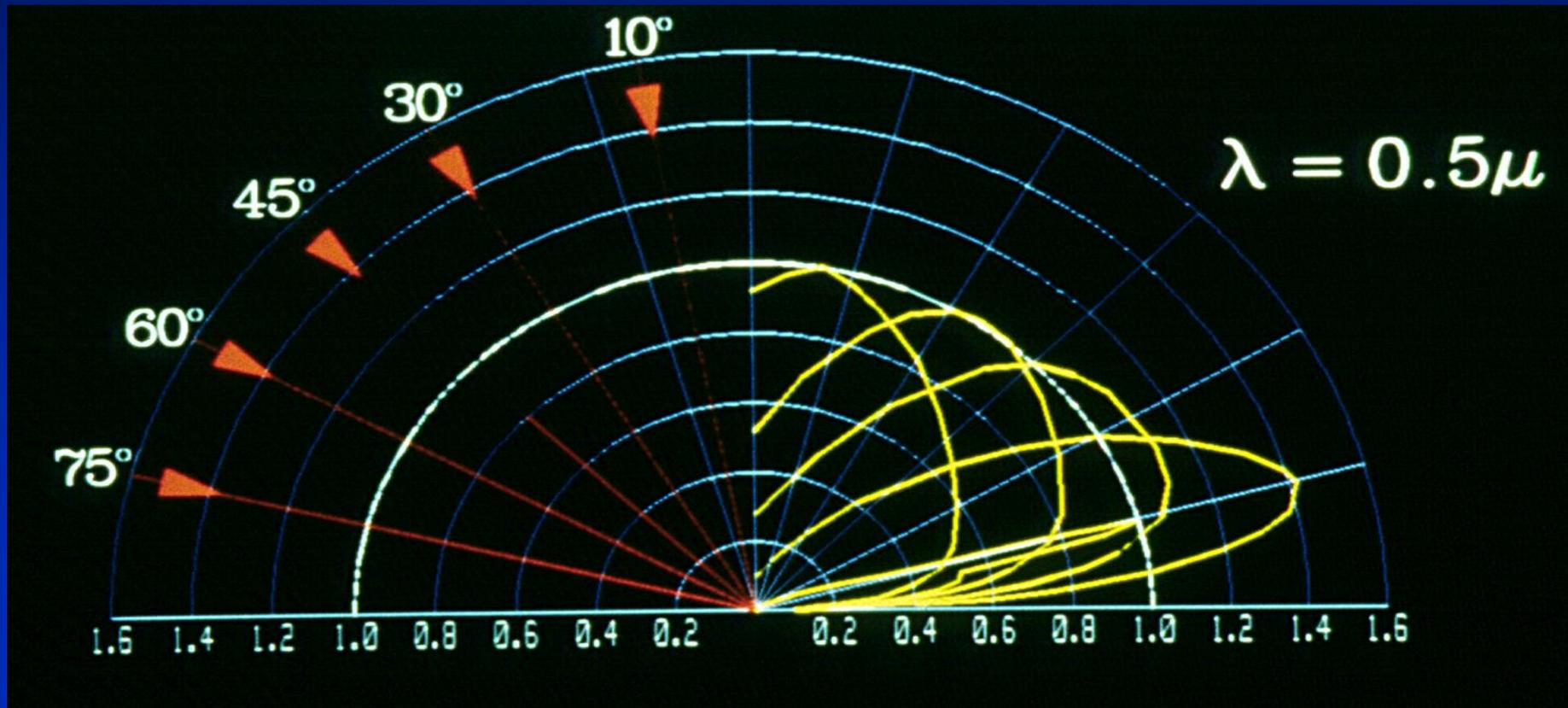
$$m = 0.6$$



Where m = root mean square slope of the microfacets

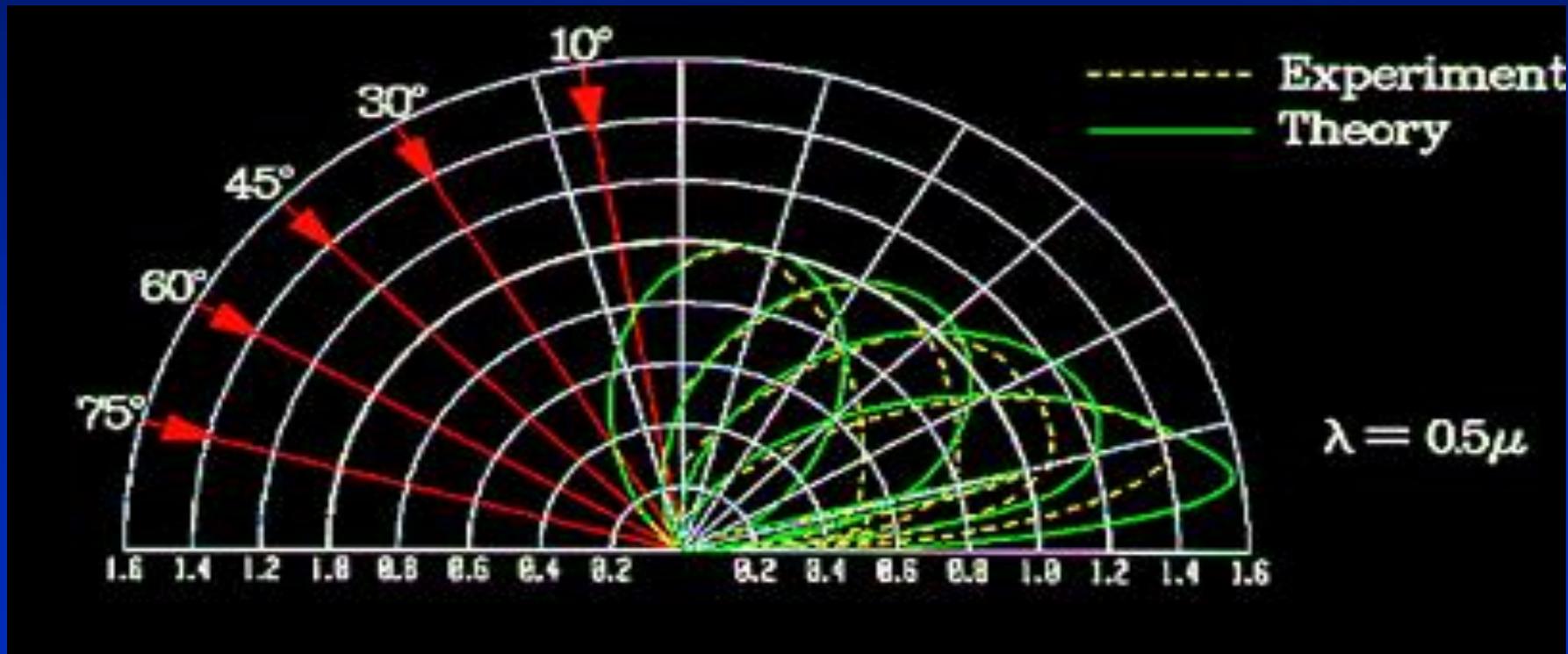
Experiment Data

Aluminum, $\sigma_0 = 0.28\mu$

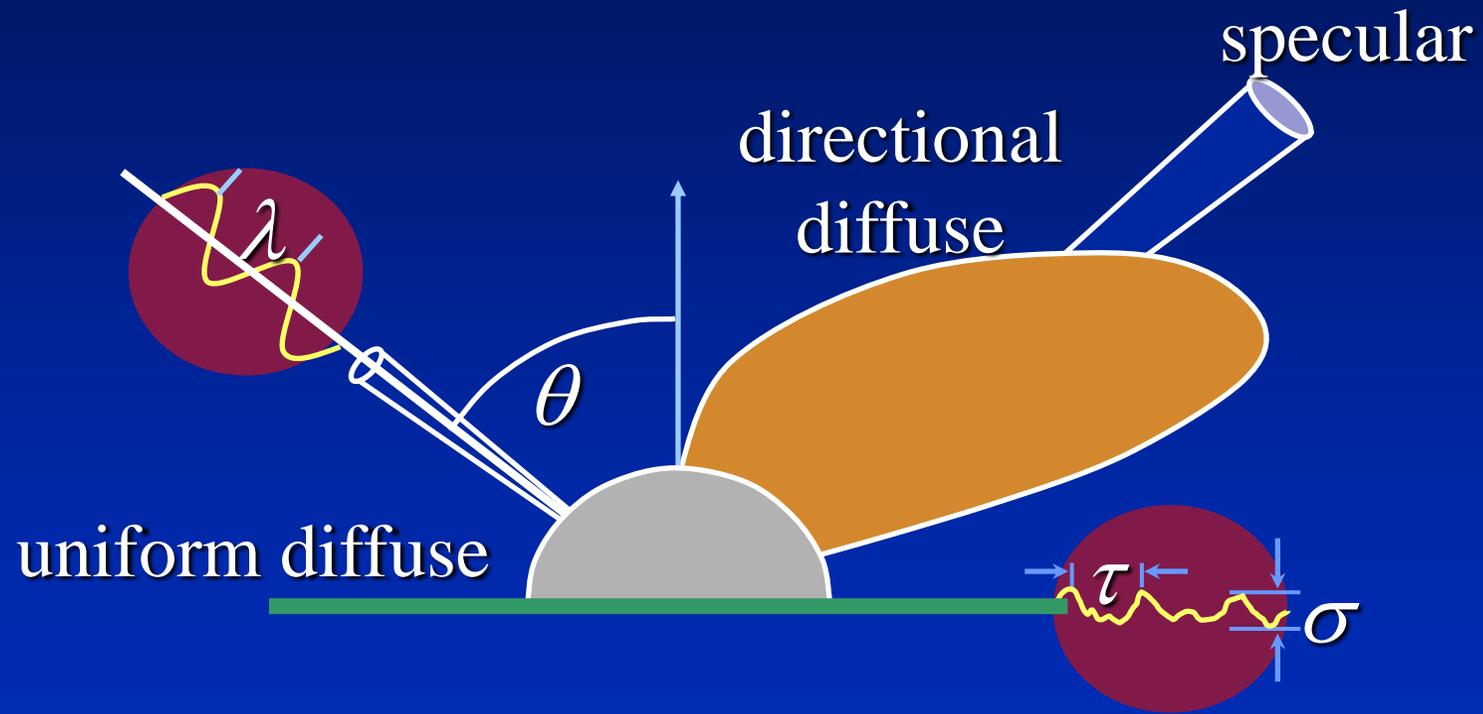


Comparison of experiment and theory

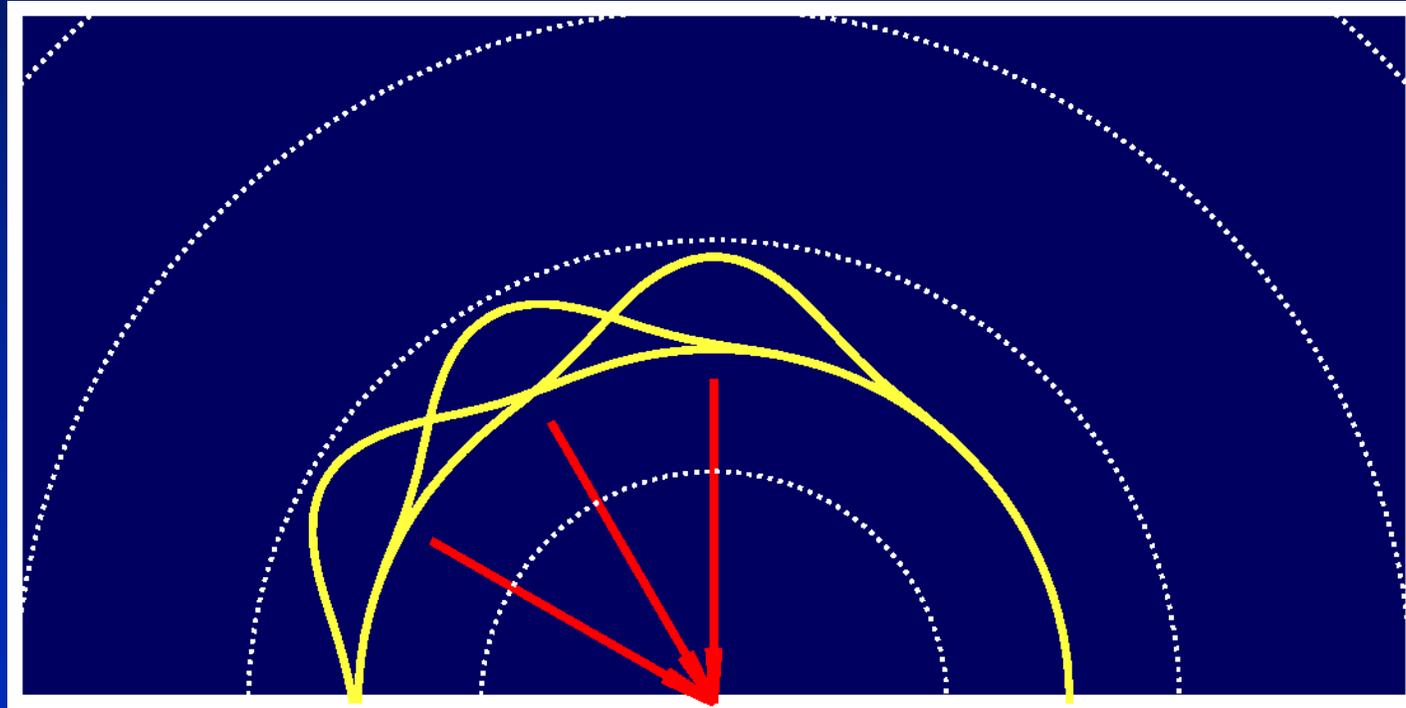
Aluminum $\sigma_0 = 0.28\mu$, $\tau = 1.77\mu$



Bidirectional Reflectance (BRDF)



Retro-Reflection



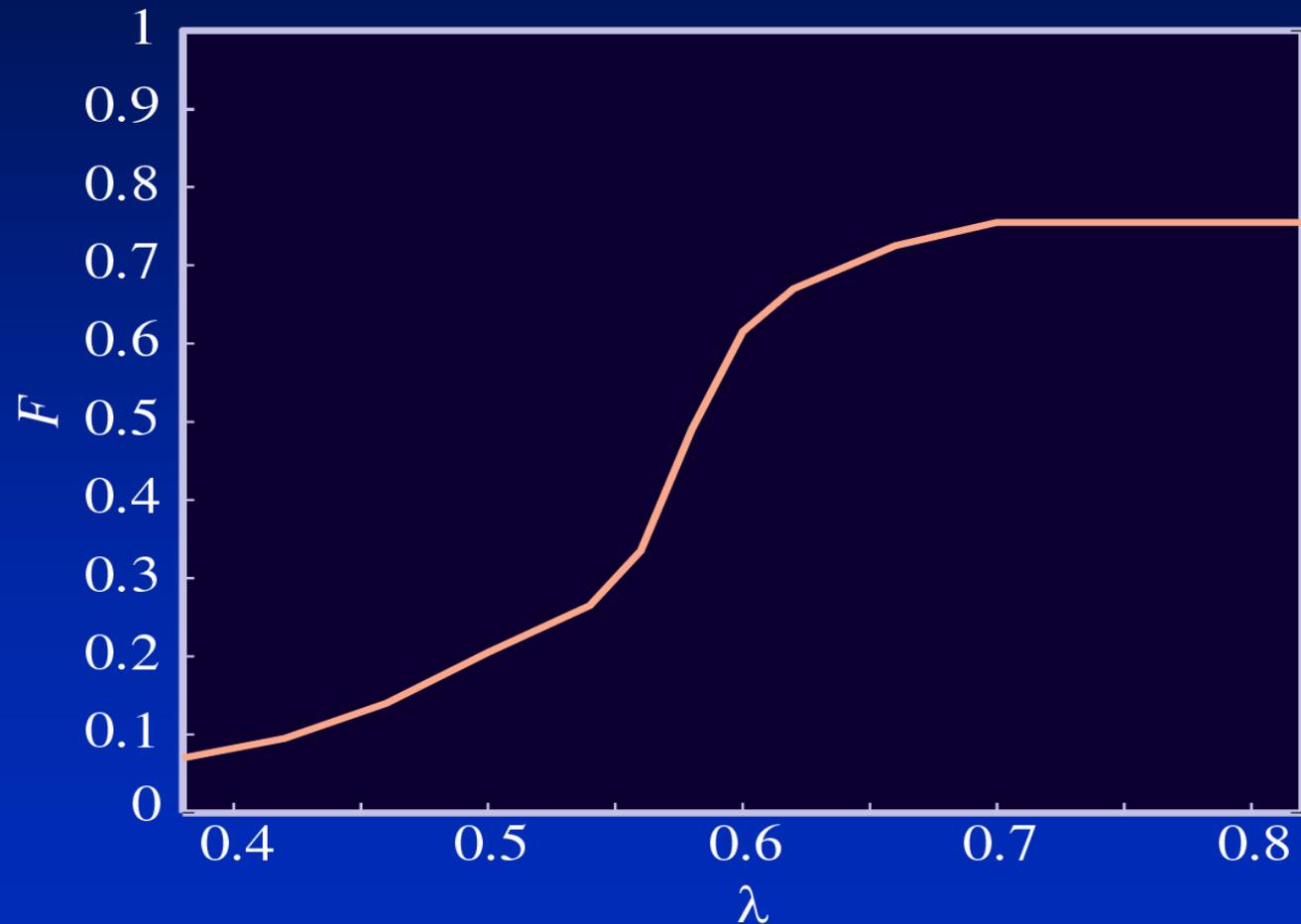
Retroreflection



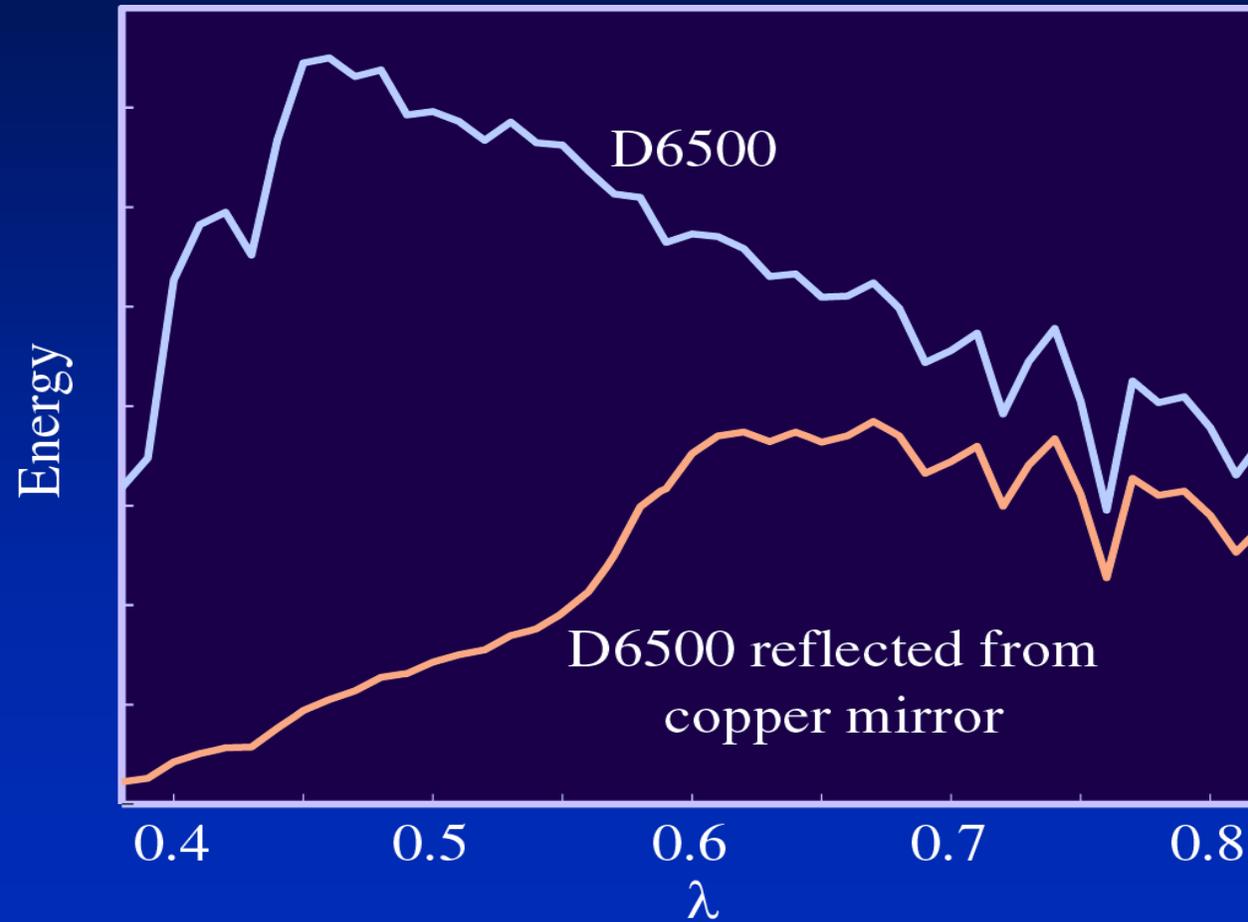
Retroreflection



Reflectance of Copper Mirror



Light Reflected from Copper



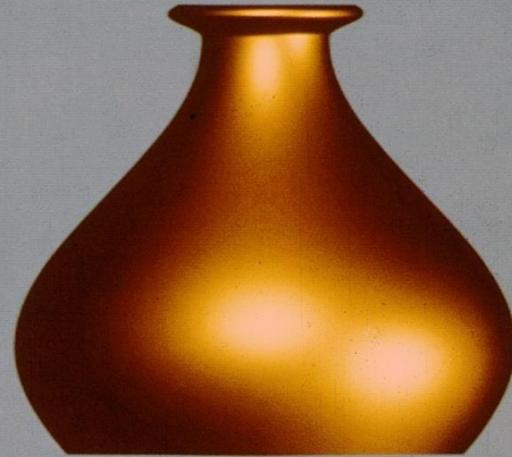
Cook-Torrance Renderings



Copper Vase

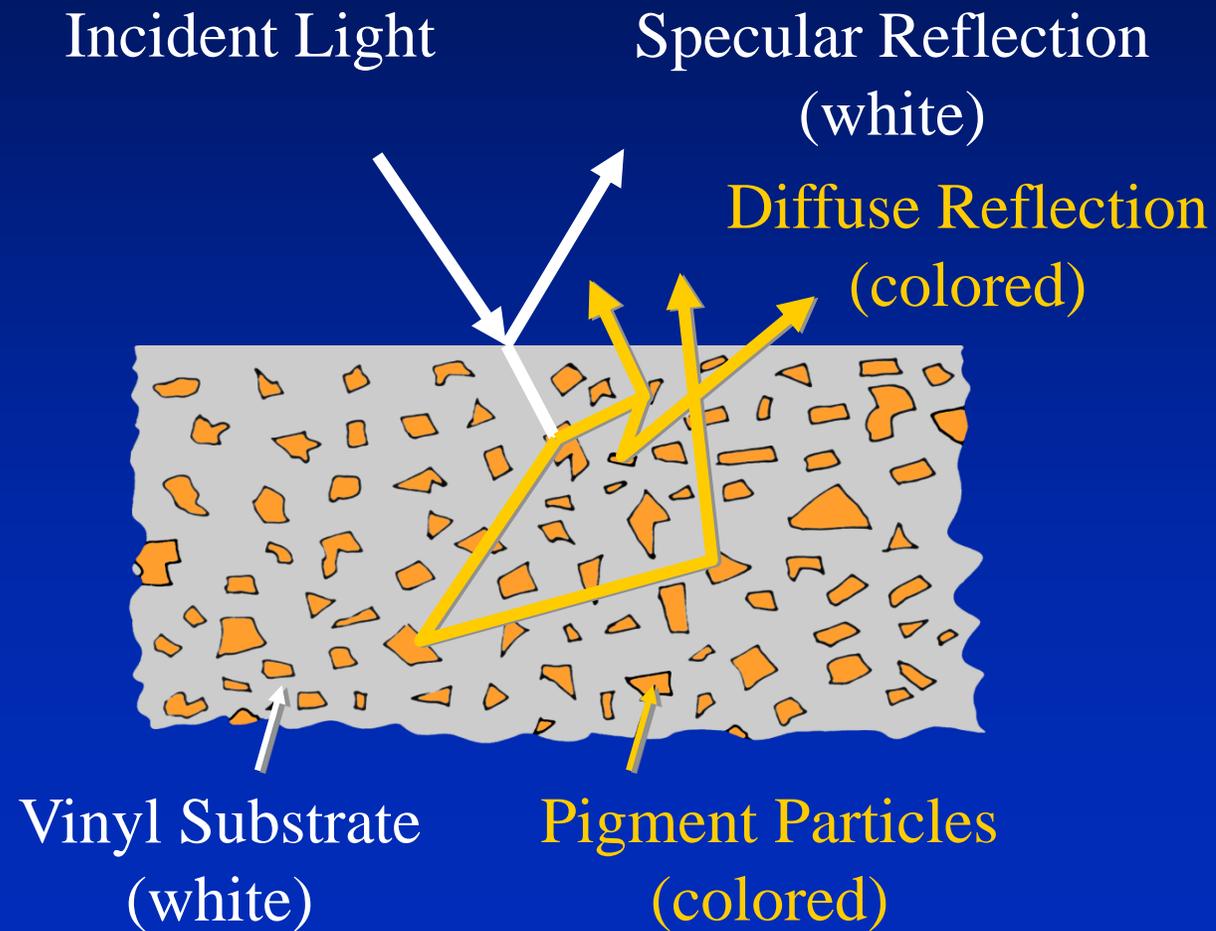


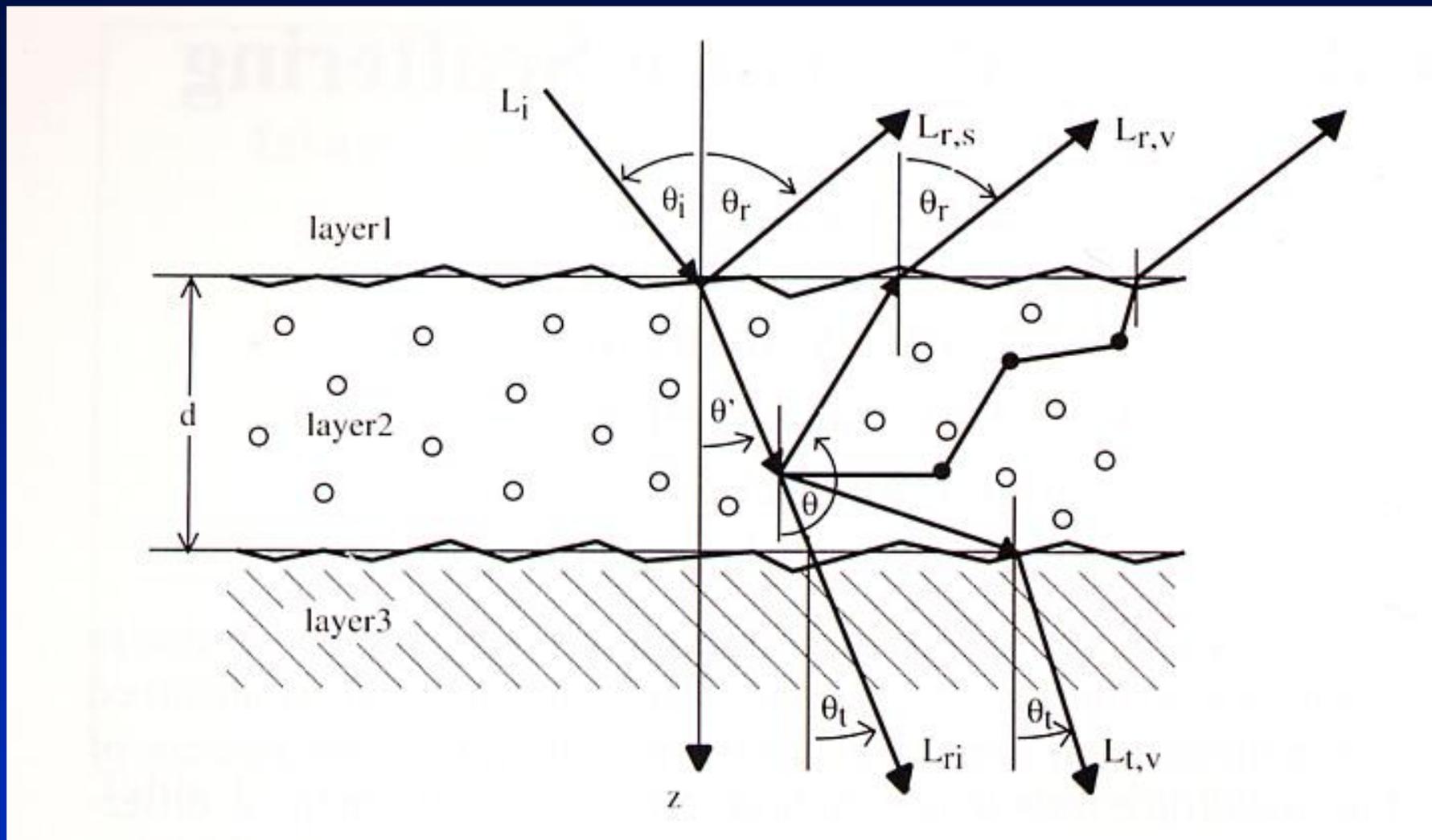
Copper-colored plastic



Copper

Reflection from Plastic





The geometry of scattering from a layered surface

Phong Goblet

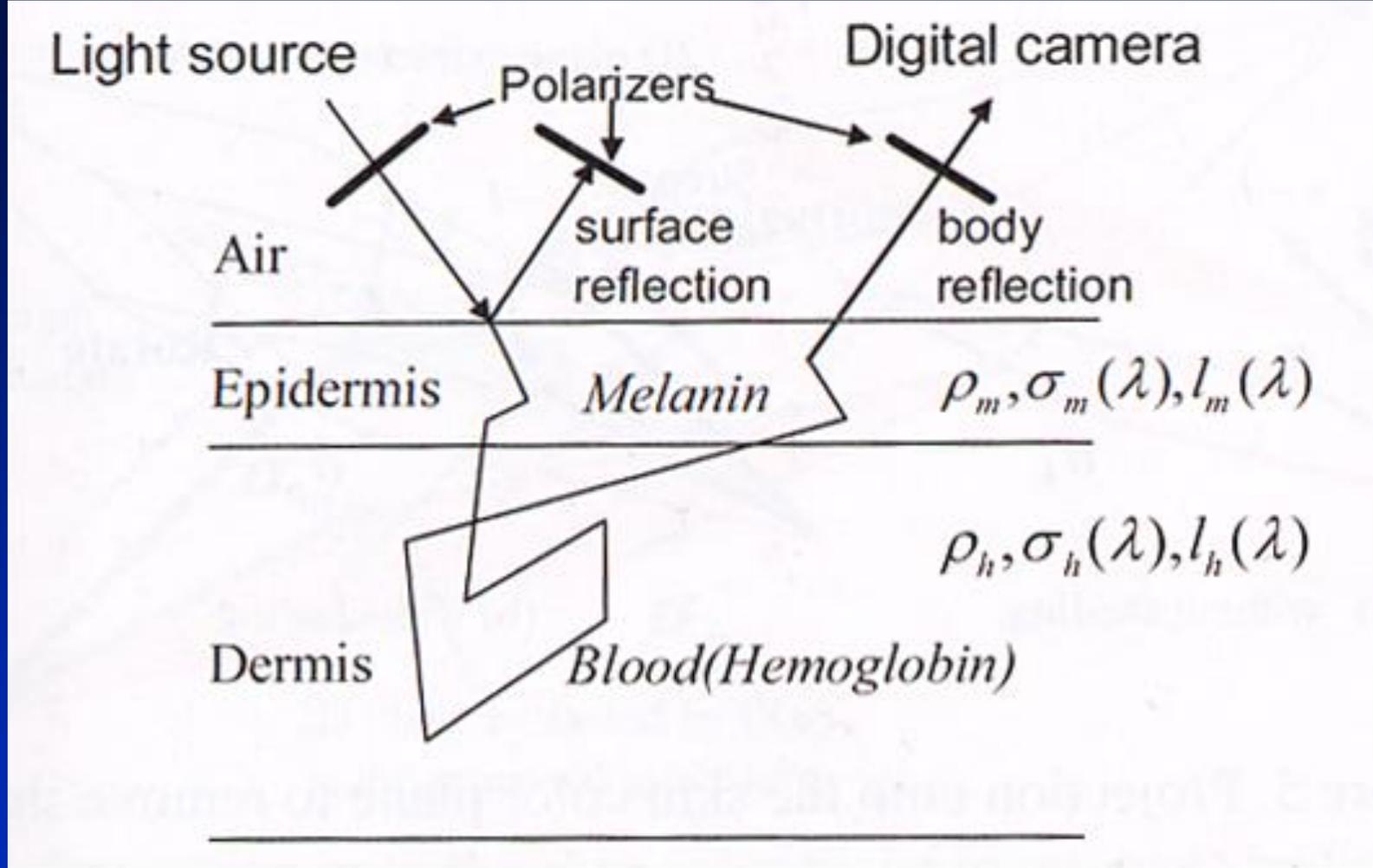


Brushed Stainless Steel





Henrik Wann Jensen, Stephen R. Marschner, Marc Levoy, Pat Hanrahan. "A Practical Model for Subsurface Light Transport," ACM Siggraph 2001, August 2001, Los Angeles, CA, pp. 511-518.

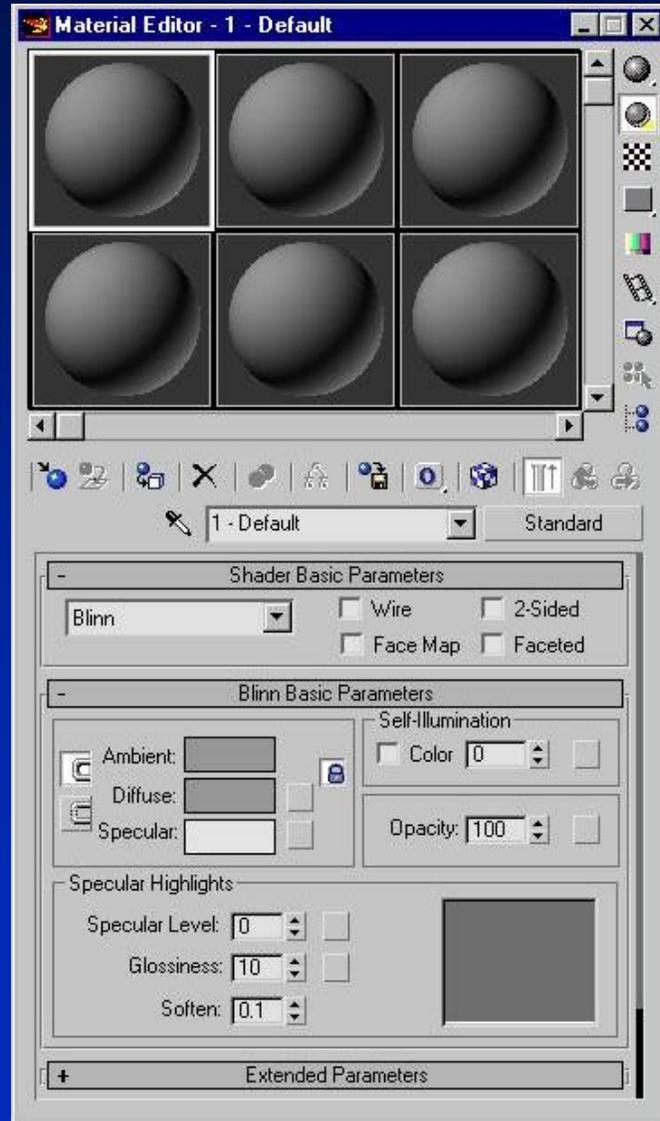


Schematic model of the image process

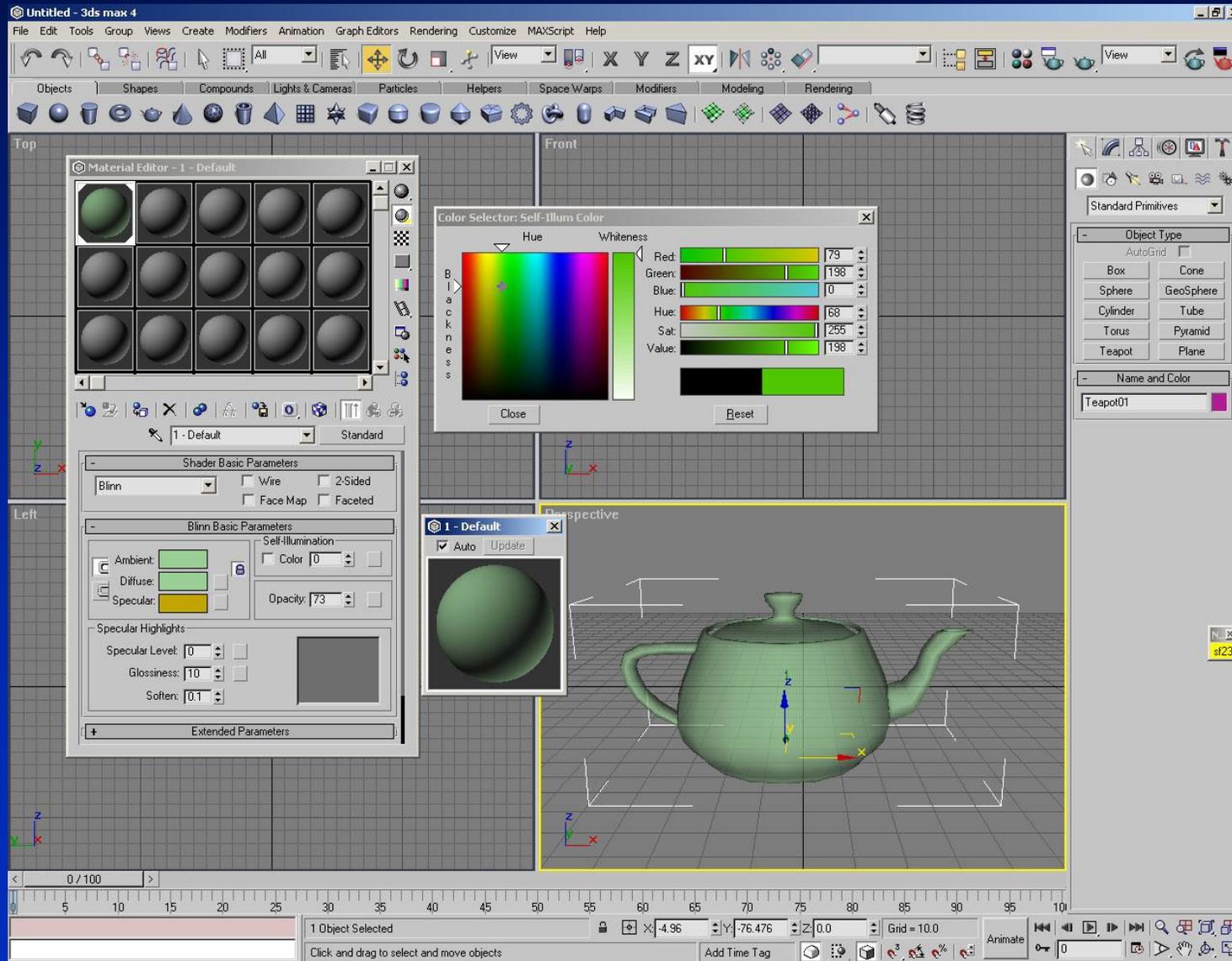


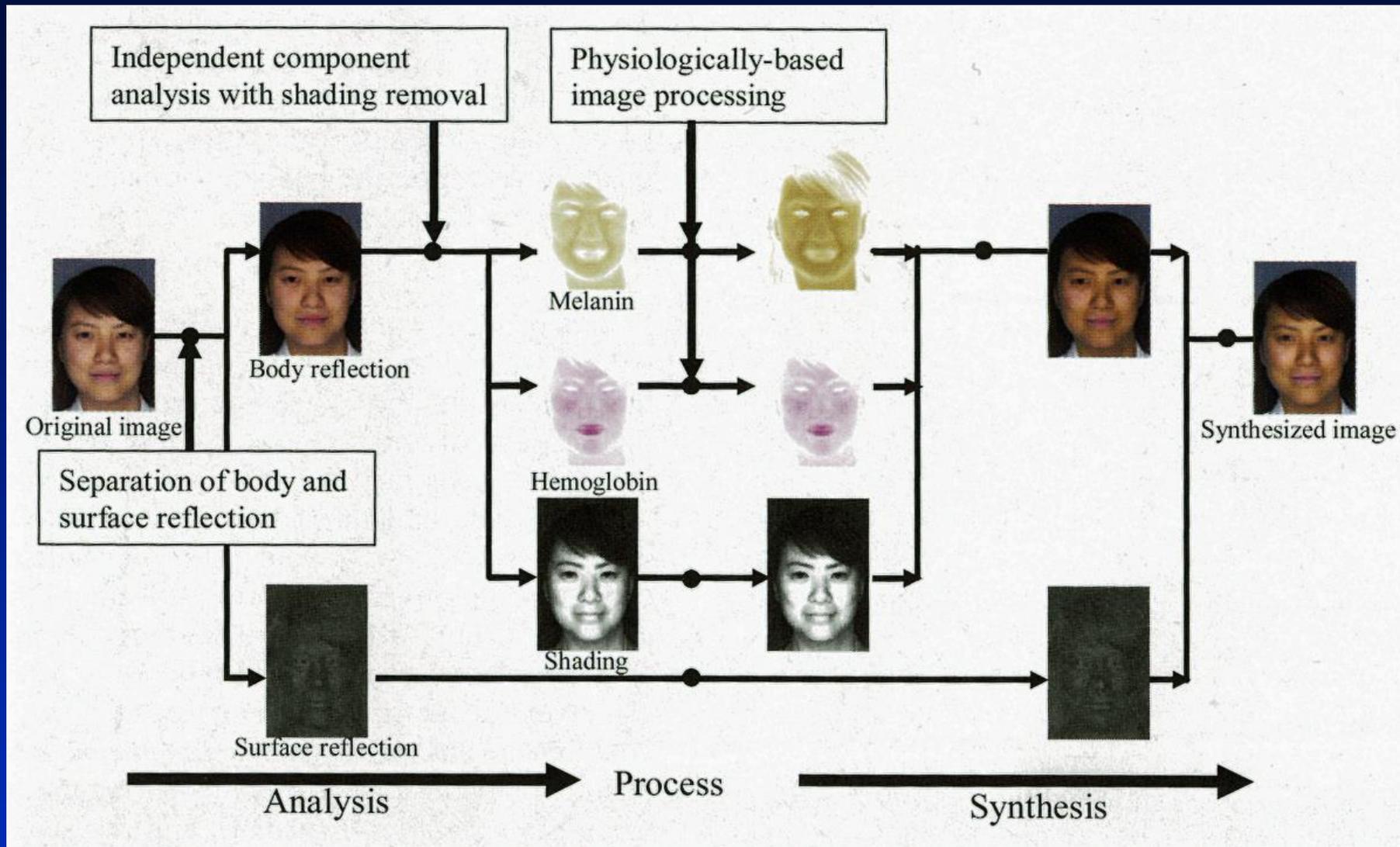
End...

3D Studio Max: Material Editor



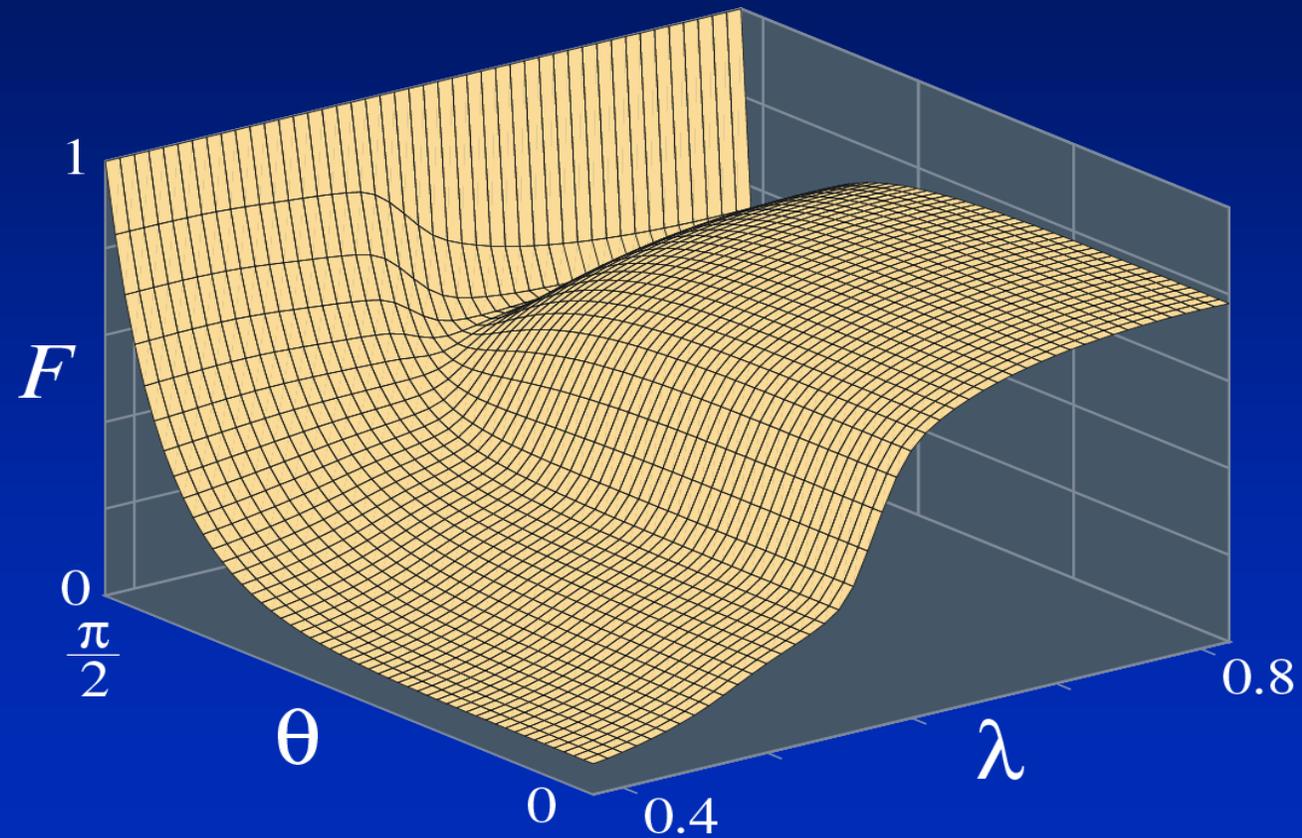
3D Studio Max: Material Editor



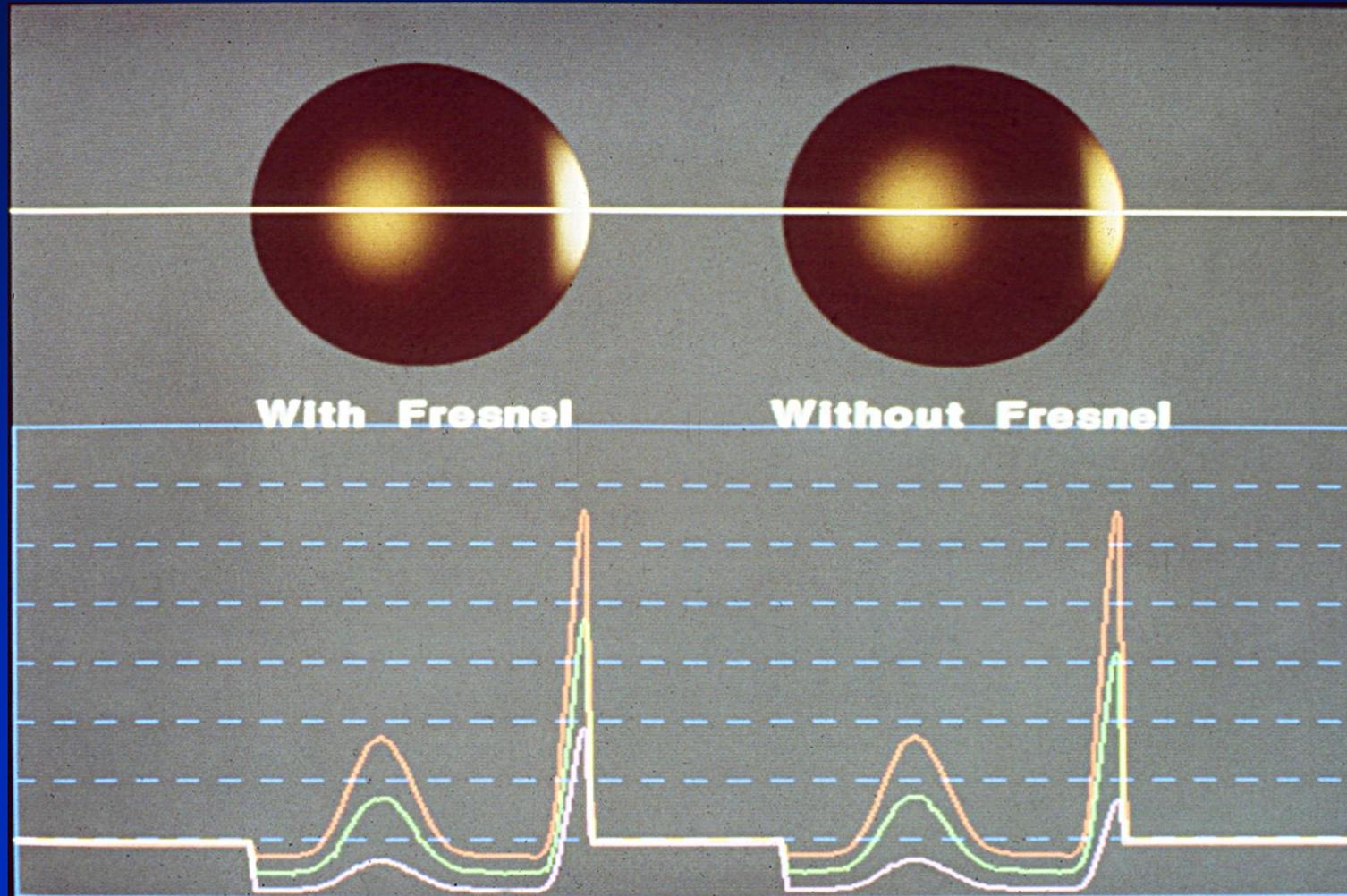


Schematic flow of the imaging process in proposed image-based skin color and texture analysis/synthesis

Cook's Fresnel Approximation



Cook's Copper Spheres



Cosine Calculations

Dot Product Definition

$$\overline{N} \cdot \overline{L} = |\overline{N}| |\overline{L}| \cos \theta$$

$$\cos \theta = \frac{\overline{N} \cdot \overline{L}}{|\overline{N}| |\overline{L}|} = \frac{\overline{N}}{|\overline{N}|} \cdot \frac{\overline{L}}{|\overline{L}|}$$

Usually, the normal and light source vector directions are given as unit normals.

Dot Products to find Cosine of Angle θ

$$\mathbf{i} \cdot \mathbf{i} = 1$$

$$\mathbf{i} \cdot \mathbf{j} = 0$$

$$\mathbf{i} \cdot \mathbf{k} = 0$$

Dot Product to find the cosine of the angle β

This is the product of the reflection vector R and the view direction V

Cross Product to find Normal Vectors

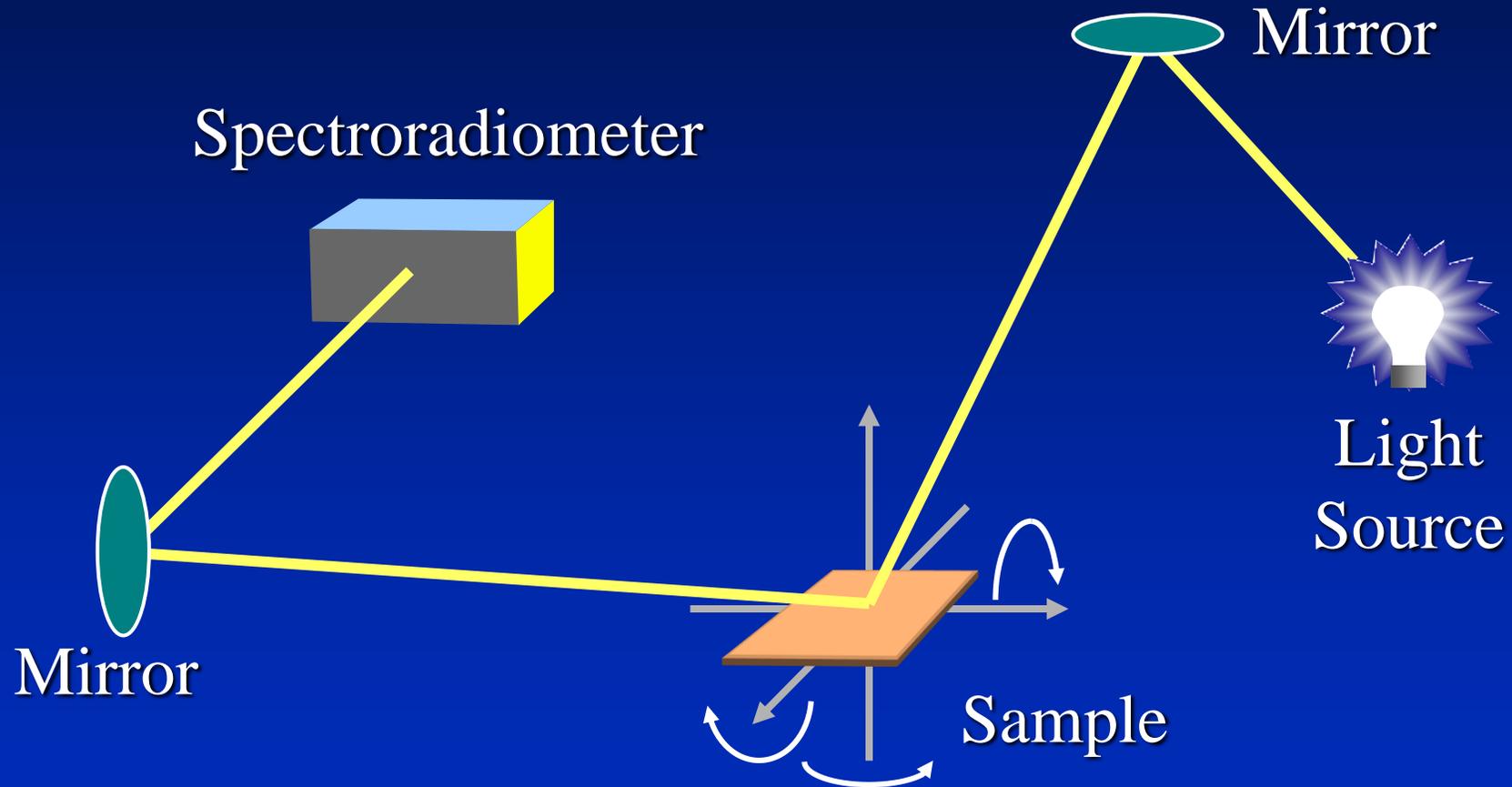
4x4 Transformations

Engineering Honors Section

Slides to explain the difference between the fast Phong algorithm, the change which varies by scan line, and the actual change which varies by pixel.

Also an explanation to change the shading based on the original geometry.

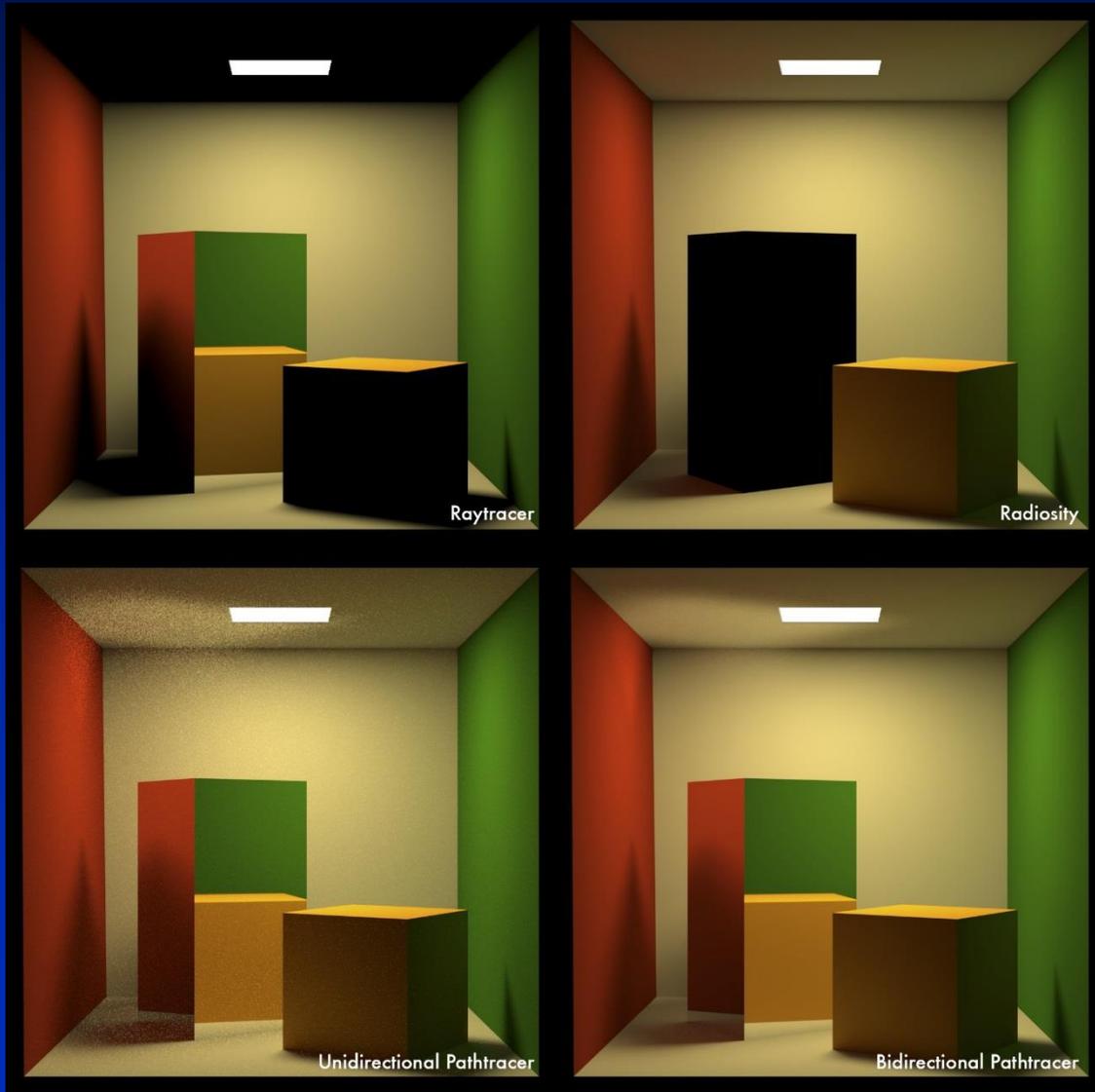
Gonioreflectometer



Bidirectional Reflectometer



Model Comparisons



Smooth Surface, Rough Surface, Combination

